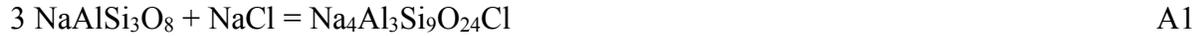


Appendix

The following thermodynamic expressions were used to calculate the phase diagrams shown in Figures 7a and 7b. The reactions defining the stability of the components $\text{Na}_4\text{Al}_3\text{Si}_9\text{O}_{24}\text{Cl}$ (= Ma) and $\text{Ca}_4\text{Al}_6\text{Si}_6\text{O}_{24}\text{CO}_3$ (= Me) in scapolite relative to $\text{NaAlSi}_3\text{O}_8$ (= Ab) and $\text{CaAl}_2\text{Si}_2\text{O}_8$ (=An) in plagioclase are:



The equilibrium constants corresponding to these reactions are:

$$K_1 = \frac{a_{\text{Ma}}^{\text{Scap}}}{(a_{\text{Ab}}^{\text{Plag}})^3} \quad \text{A3}$$

$$K_2 = \frac{a_{\text{Me}}^{\text{Scap}}}{(a_{\text{An}}^{\text{Plag}})^3} \quad \text{A4}$$

where a_i^j is the activity of component i in phase j . Substituting the activity-composition relations indicated in equations 4a and 4b for scapolite, the activity coefficients in 5a and 5b for scapolite, and the activity-composition expressions of Newton et al. (1980) for plagioclase into A3 and A4, one has:

$$K_1 = \frac{X_{\text{Ma}}^4 \cdot \gamma_{\text{Ma}}}{(X_{\text{Ab}}^2 (2 - X_{\text{Ab}}) \cdot \gamma_{\text{Ab}})^3} \quad \text{A5}$$

$$K_2 = \frac{\left(4(1 - X_{\text{Ma}})^2 \left(\frac{1 + X_{\text{Ma}}}{2}\right)^2\right) \cdot \gamma_{\text{Ma}}}{\left(\frac{1}{4}(1 - X_{\text{Ab}})(2 - X_{\text{Ab}})^2 \cdot \gamma_{\text{Ab}}\right)^3} \quad \text{A6}$$

At equilibrium at a given P and T one has:

$$\Delta G_1 = 0 = \Delta G_1^0 + RT \ln K_1 \quad \text{A7}$$

$$\Delta G_2 = 0 = \Delta G_2^0 + RT \ln K_2 \quad \text{A8}$$

where ΔG is the Gibbs free energy of the reaction, ΔG° is the Gibbs free energy for the pure phases, R is the universal gas constant (kJ/K·mol), and T is temperature in Kelvins. Expressions A7 and A8 must be solved simultaneously to find the compositions of scapolite (X_{Ma}) and plagioclase (X_{Ab}) that satisfy both conditions for equilibrium. Values for ΔG° were calculated using the data in Table A1 and the expression:

$$\Delta G_{P,T}^\circ = \Delta H_{1,298}^\circ - T\Delta S_{1,298}^\circ + \int_{298}^T \Delta C_P dT - T \int_{298}^T \left(\frac{\Delta C_P}{T} \right) dT + \Delta V_{1,298}^\circ (P - P_0) \quad \text{A9}$$

Table A1. Thermochemical data used in this study from Holland and Powell (2011) and from Almeida and Jenkins (2017) for marialite.

Phase	$\Delta H^\circ_{298K, 1bar}$ (kJ/mol)	$S^\circ_{298K, 1bar}$ (kJ/K·mol)	$V_{298K, 1bar}$ (kJ/kbar·mol)	a^*	b (x10 ⁵)	c	d
albite(high)	-3921.49	0.2243	10.105	0.4520	-1.3364	-1275.9	-3.9536
halite	-411.3	0.0721	2.702	0.0452	1.797	0	0
marialite	-12167.49	0.75793	33.035	1.172	9.0626	-4676.4	-8.2379
anorthite	-4232.7	0.2005	10.0790	0.3705	1.001	-4339.1	-1.961
calcite	-1207.88	0.0925	3.6890	0.1409	0.5029	-950.7	-0.858
meionite	-13842	0.752	33.9850	1.359	3.6442	-8594.7	-9.598

* The heat capacity terms (a , b , c , and d) are the coefficients in the expression $C_P = a + b(T) + c/(T^2) + d/(T^{0.5})$, and have units that give the heat capacity (C_P) in kJ/K·mol.