Revision 2

1	Cu diffusion in a basaltic melt
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5	ABSTRACT
6	Recent studies suggest a potential role of diffusive transport of metals (e.g. Cu, Au, PGE)
7	in the formation of magmatic sulfide deposits and porphyry-type ore deposits. However,
8	diffusivities of these metals are poorly determined in natural silicate melts. In this study,
9	diffusivities of copper in an anhydrous basaltic melt (<10 ppm H ₂ O) were measured at
10	temperatures from 1298 to 1581 °C, and pressures of 0.5 GPa, 1 GPa and 1.5 GPa. Copper
11	diffusivities in anhydrous basaltic melt at 1 GPa can be described as:
12	$D_{\rm Cu}^{\rm basalt} = \exp\left[-(14.12 \pm 0.50) - \frac{11813 \pm 838}{T}\right]$
13	where D_{Cu}^{basalt} is the diffusivity in m ² /s, <i>T</i> is the temperature in K, and errors are given at 1 σ level.
14	A fitting of all experimental data considering the pressure effect is:
15	$D_{\rm Cu}^{\rm basalt} = \exp\left[-(13.59 \pm 0.81) - \frac{(12153 \pm 1229) + (620 \pm 241)P}{T}\right]$
16	where <i>P</i> is the pressure in GPa, which corresponds to a pre-exponential factor $D_0 = (1.25)$
17	$\stackrel{\times}{\div}$ 2.2)×10 ⁻⁶ m ² /s, an activation energy $E_a = 101 \pm 10$ kJ/mol at $P = 0$, and an activation volume

18 $V_a = (5.2 \pm 2.0) \times 10^{-6} \text{ m}^3/\text{mol.}$

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19	The diffusivity of copper in basaltic melt is high compared to most other cations, similar
20	to that of Na. The high copper diffusivity is consistent with the occurrence of copper mostly as
21	Cu ⁺ in silicate melts at or below NNO. Compared to the volatile species, copper diffusivity is
22	generally smaller than water diffusivity, but about 1 order of magnitude higher than sulfur and
23	chlorine diffusivities. Hence, Cu partitioning between a growing sulfide liquid drop and the
24	surrounding silicate melt is roughly in equilibrium, whereas that between a growing fluid bubble
25	and the surrounding melt can be out of equilibrium if the fluid is nearly pure H ₂ O fluid. Our
26	results are the first copper diffusion data in natural silicate melts, and can be applied to discuss
27	natural processes such as copper transport and kinetic partitioning behavior in ore formation, as
28	well as copper isotope fractionation caused by evaporation during tektite formation.
29	Keywords: Copper diffusivity, kinetics, kinetic fractionation, copper isotope fractionation
30	
31	INTRODUCTION
32	As an important base metal widely used in construction and industry, enrichment of
33	copper from a crustal average of 27 ppm (Rudnick and Gao 2014) to a typical minable
34	concentration of a few thousand ppm has attracted much attention from economic geologists.
35	Magmatic sulfide deposits and porphyry copper deposits are two main types of deposits that
36	produce copper. In particular, porphyry-type deposits account for ~57% of world's total
37	discovered copper (Singer 1995).
38	As described by Naldrett (1989), magmatic sulfide ore deposits are typically related to a
39	mafic or ultramafic magma. Cooling of the magma leads to the saturation of sulfur, and results in
40	the nucleation and growth of sulfide liquid drops. Since sulfide drops have higher density than

41 the silicate melt, they will sink through the magma chamber, at the same time growing and scavenging ore elements (e.g. Cu, Ni, Au, Pt) from the surrounding magma. Given enough time, 42 43 these sulfide drops will settle to the bottom of the magma chamber and form sulfide ore deposits (Zhang 2015). The mechanism for porphyry-type ore deposits to enrich copper is similar, but 44 instead of a sulfide liquid phase settling down in the magma chamber for magmatic sulfide 45 deposits, a fluid phase is saturated inside the magma, and rises through the magma chamber, 46 47 scavenging and transporting ore metals (e.g. Cu, Au, Mo) to the top of the magma chamber. In both types of ore deposits, enrichment of the metals into the sulfide phase or fluid phase is 48 controlled by at least two factors: (i) partitioning of the metal elements into the sulfide or fluid 49 phase, which may depend on the presence of other elements, such as chlorine in the fluid phase, 50 51 and (ii) diffusion of the metal elements through the silicate melt to the sulfide or fluid phase. For magmatic sulfide deposits, Mungall (2002a) modeled the kinetic control of metal partitioning 52 assuming a sulfide drop is static inside the magma, and found that the enrichment factors of 53 54 metals can differ by as large as a factor of 5 depending on the diffusivity of each metal. Zhang (2015) developed a quantitative model for magmatic sulfide deposits considering both sulfide 55 sinking and growth in silicate magma. Metal behavior was also modeled in Zhang (2015) 56 parametrically, concluding that as long as the metal diffusivity is larger than or similar to sulfur 57 diffusivity that controls sulfide drop growth, partition of the metal into the sulfide liquid phase is 58 close to equilibrium. Both Mungall (2002a) and Zhang (2015) used the empirical model by 59 Mungall (2002b) to estimate metal diffusivities. The model of Mungall (2002b) indicates that 60 copper diffusion is much faster than sulfur diffusion. Therefore, both authors concluded that 61 62 partition of copper into the sulfide phase is close to equilibrium. On the other hand, Huber et al. (2012) developed a model for metal enrichment and transport by a fluid phase in a porphyry 63

system, and suggested that the efficiency of copper enrichment is dependent on the relative diffusivity of copper to that of chlorine. Huber et al. (2012) used copper diffusion data from von der Gonna and Russel (2000), with copper diffusivity being 1 order of magnitude smaller than chlorine diffusivity. Therefore, copper partition into the fluid phase would not reach equilibrium if the fluid bubbles ascend rapidly according to Huber et al. (2012).

69 In addition to metal enrichment processes discussed above, some other processes in ore formation might also be kinetically controlled. For example, in magmatic sulfide deposits, after 70 sulfide liquid accumulation at the bottom of the magma chamber to form a sulfide liquid pool. 71 the interaction between the sulfide liquid pool and the magma might be diffusion-controlled 72 (Mungall 2002a). At the same time, metal extraction from other minerals into the sulfide melts is 73 controlled by diffusion of the metal in the mineral phase (e.g., extraction of Ni from olivine; 74 75 Zhang 2015). For porphyry-type ore deposits, re-dissolving of the sulfides and transport of their metal elements from the more mafic magma to the silicic magma by a magmatic volatile phase is 76 also partially controlled by diffusivities of the metal elements in the melts (Nadeau et al. 2010, 77 2013). 78

Besides roles in copper ore formation, copper diffusivity is also an important parameter in discussing copper isotope fractionation. Moynier et al. (2010) measured copper isotopes in tektites, and found copper isotopes are more fractionated than zinc isotopes in the same set of tektite samples. This is contrary to the notion that fractionation is due to volatile loss because zinc has lower half-condensation temperature and is hence more easily lost than copper. The authors explained their results by a higher diffusivity of copper than zinc in silicate melts, implying that the isotope fractionation process was diffusion-limited.

86	Copper diffusion data in silicate melts are limited. Although there is a single study of						
87	copper diffusivity in a Na ₂ Si ₂ O ₅ melt by von der Gonna and Russel (2000), there are currently no						
88	copper diffusion data in natural silicate melts. Cu diffusivity in the Na ₂ Si ₂ O ₅ melt is unlikely						
89	applicable to Cu diffusion during copper ore formation from a natural silicate melt. Even though						
90	there is an empirical model by Mungall (2002b) to estimate diffusivity, as Behrens and Hahn						
91	(2009) and Zhang et al. (2010) pointed out, Mungall (2002b)'s diffusivity model may be orders						
92	of magnitude off in predicting diffusivities. Hence, experimental data are necessary for more						
93	quantitative prediction of the diffusion effects.						
94	In this study, diffusion couple experiments are carried out to obtain copper diffusivities in						
95	a basaltic melt, and the results are used to discuss copper enrichment in ore formation, and to						
96	speculate on kinetic controls of copper isotope fractionation.						
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Then the mixture of the oxides and carbonates was divided into two halves, one of which was doped with Cu_2O to contain ~1200 ppm Cu. Afterwards, approximately 0.6 g of the copper-free mixture and copper-containing mixture were put into separate graphite crucibles and fused at 1300 °C for 3 hours together inside a Deltech furnace under a constant N₂ flow. After fusing, the two crucibles were taken out of the furnace and cooled in air to form two glass beads with a diameter of ~8 mm.

114 The glasses synthesized were examined under optical microscope to ensure that they are bubble free, crystal free and homogeneous in color. A center section was cut from each glass 115 bead and analyzed by electron microprobe to check its homogeneity before it was used for 116 diffusion couple experiments. Average compositions of the synthesized glasses are shown in 117 Table 1. In general, microprobe data show that the composition of the synthesized glass matches 118 119 the target composition fairly well (difference <1 wt% for each major component). FeO concentration was found to decrease slightly (~8% relative) towards the surface of the glass 120 beads. Cu concentration was also found to be slightly inhomogeneous, with lower concentration 121 near the surface of the glass beads (~ 1000 ppm) than at the center of the glass beads (~ 1300 ppm) 122 (Fig. 1). To avoid possible effects of inhomogeneity in glass composition to our experiments, 123 only center parts of the synthetic glasses were used for diffusion couple experiments. 124

125 H_2O and CO_2 concentrations in the synthetic Etna basaltic glasses are below ~10 ppm 126 and ~100 ppm, respectively, based on FTIR measurements using a Perkin-Elmer Spectrum GX 127 FTIR spectrometer at the University of Michigan.

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129 Experimental procedure

All diffusion couple experiments were conducted in a piston-cylinder apparatus at the 130 University of Michigan. An illustration of the experimental design for our diffusion couple 131 132 experiments can be found in Fig. 2, and the experimental procedures are as follows. First, two glass cylinders with a diameter of 2.0 mm and height of 1.5 mm were prepared, one from copper-133 free and the other from copper-containing synthetic glass beads. The choice of 1.5 mm height of 134 each glass cylinder used in our experiments is a compromise between two factors. One factor is 135 that shorter cylinders lead to shorter experimental charge and hence smaller temperature 136 variation across the whole charge. The other is that the cylinder must be tall enough so that Cu 137 diffusion would not reach the boundary of the glass during the experiment. The glass cylinders 138 were doubly polished using progressively finer silicon carbide sandpapers and a finish on 0.1-µm 139 140 alumina powder. Afterwards, the two glass cylinders were ultrasonically cleaned in acetone and then in alcohol. After drying in vacuum for about 1 hour, the two glass cylinders were placed 141 together and fit snugly into a 4.0-mm outer-diameter graphite capsule. The copper-free glass was 142 placed on top since it is expected to have a slightly lower density. The graphite capsule was fit 143 144 into an MgO pressure medium, then placed inside a graphite furnace, and then into a $BaCO_3$ outer pressure medium. Geometry of the sample assemblage was designed so that the interface is 145 at the center of the graphite furnace to minimize temperature gradient across the capsule (Fig. 2). 146 147 A type-S thermocouple (Pt90Rh10-Pt) was used to measure the temperature during an 148 experiment. The length of each part of the sample assemblage was measured after an experiment to examine whether the interface was at the center of the graphite furnace during the experiment. 149 150 The distance of the thermocouple tip to the diffusion interface was typically 2.5 to 3 mm. 151 Temperature correction was made using the calibration of Hui et al. (2008). Temperature at the

interface of the diffusion couple was used as the experimental temperature. The temperature at
the two ends of the diffusion couple is estimated to be 10 to 20 °C below the interface
temperature using the calibration of Hui et al. (2008).

155 Experiments were conducted at pressures of 0.5 to 1.5 GPa at a 0.5 GPa increment. A 5% pressure correction is applied based on calibration by Ni and Zhang (2008) on the same piston 156 cylinder apparatus. During an experimental run, the pressure was first increased slowly and 157 smoothly to 15% higher than the target pressure (10% in the case of 1.5 GPa experiment) using a 158 pressure controller. Then the whole sample assemblage was relaxed at this pressure and 200 °C 159 for at least 2.5 hours to close gaps inside the assemblage. Both pressure and temperature were 160 maintained automatically in this step. After relaxation, the temperature was brought up to the 161 designated temperature in ~60 s by a programed heating procedure. No temperature overshoot 162 163 occurred during heating-up, and temperature fluctuation was within ± 1 °C during the experiments. Due to high Cu diffusivity, only a short duration was needed in the diffusion couple 164 experiments (2 to 7 minutes at 1298 °C to 1581 °C) to generate a long enough profile. After a 165 166 designated duration, the assemblage was quenched with a cooling rate of about 100 °C/s (based on direct measurement) by turning off the power. During quench, the pressure was maintained by 167 a manually controlled ENERPAC electric pump (except for Cudiffcp 4.4 and Cudiffcp 7.2, for 168 169 which the pressure was maintained by the pressure controller). The whole sample assemblage 170 was then preserved inside an epoxy resin disc and polished to expose the center section for 171 electron microprobe analysis.

Since the experimental duration was only 2 to 7 minutes, the effect of heating up (taking ~1 min) needs to be considered. Quenching is rapid and hence the effect is small, but the small effect is also accounted for in the following correction applied to obtain the effective duration for

8

all experiments. Based on the solution to the diffusion problem for time-dependent D (e.g.,

176 Zhang, 2008, Eq. 3-54b), the following equation was used to calculate the effective duration at

177 the experimental temperature T_0 :

178
$$t_{\rm c} = \frac{\int_{0}^{t} \exp(-E / RT) dt}{\exp(-E / RT_{0})}$$
(2)

where t_c is the effective duration, E is the activation energy for Cu diffusion, R is the gas constant, T is recorded experiment temperature (including temperature recorded during heating up and that during cooling down) corrected to the interface position, and T_0 is the plateau interface temperature. At the beginning an estimated E was used for the effective duration correction. After enough experiments were done, E was obtained by fitting the Arrhenius equation and t_c was corrected again until t_c and E do not change anymore. Copper diffusion has a small activation energy, leading to a relatively large duration correction of ~35 s.

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187 Analytical methods

Major element composition and copper concentration profiles were measured in WDS 188 mode using the Cameca SX-100 electron microprobe at the University of Michigan. Major oxide 189 190 concentrations (SiO₂, TiO₂, Al₂O₃, FeO_t, MgO, CaO, Na₂O and K₂O) of the synthetic glasses 191 were measured with an acceleration voltage of 15 kV, a beam current of 10 nA in focused mode, and a counting time of 30 to 40 seconds on the peak and 15 to 20 seconds on each side of the 192 193 backgrounds. The following standards were used for the microprobe analysis: albite (ALBA) for Na, forsterite (FOBO) for Mg and Si, sillimanite (SILL) for Al, potassium feldspar (GKFS) for K, 194 195 wollastonite (WOLL) for Ca, geikielite (GEIK) for Ti, and ferrosilite (FESI) for Fe. Cu 196 concentrations were measured in separate sessions using a point beam with an acceleration

197 voltage of 15 kV and a beam current of 40 nA. The standard for Cu concentration measurement is chalcopyrite (CPY). Three spectrometers were employed to count Cu at the same time. The 198 199 counting time is 240 s on the Cu K α peak and 120 s on either side of the background to achieve a 200 detection limit of ~ 80 ppm for Cu. The analytical error given by the microprobe based on counting statistics is ~80 ppm (1 σ). NIST SRM 610 was used as a secondary standard for Cu in 201 202 our analysis. The average concentration of Cu in SRM 610 was reported by Pearce et al. (1997) to be 422±42 ppm. Our microprobe analysis yielded a Cu concentration of 464 ppm to 516 ppm 203 204 on SRM 610. The shift of absolute concentrations results in a shift of the entire copper diffusion profile. However, if the amount of shift were similar for both the low and high copper 205 206 concentration ends, the diffusivity obtained from the profile would not be affected. In order to 207 evaluate whether the shift in absolute copper concentration has significant effect on copper 208 diffusivity, the sample Cudiffcp 3.1 was analyzed twice on two different days. The entire copper concentration profile measured on two days shifted ~200 ppm from each other. However, after 209 the background correction, the two profiles measured on different days closely match each other 210 211 (Fig. 3). The diffusivities fitted from the two analyses of different days are <2% different from 212 each other, which is much smaller than the fitting error (1 σ fitting error is about 10%) and hence 213 negligible.

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RESULTS

216 **Copper diffusion profiles and fitting**

Ten successful diffusion couple experiments have been conducted. In addition to the 10 experiments reported here in Table 1, two more experiments were carried out but are classified as unsuccessful. One experiment at 0.5 GPa and 1300 °C shows abnormal concentration profile,

which might be due to initial Cu concentration inhomogeneity. The other experiment at 1.5 GPa
and 1300 °C crystallized because the pressure was too high for the given temperature. Both
experiments are excluded from the data.

Fig. 4 shows optical microscope images of two successful experiments. For each 223 diffusion couple, at least three Cu concentration traverses $\sim 250 \,\mu\text{m}$ apart from each other were 224 225 measured to examine the reproducibility and possible convection. In five out of the ten experiments (Cudiffep 1.2, Cudiffep 3.1, Cudiffep 4.2, Cudiffep 4.3 and Cudiffep 4.4), the 226 interface survived the quench process and the sample glasses were crack-free after the 227 experiment. In these cases, the physical interface position was indicated by the two dents on both 228 sides of the glasses, as shown in Fig. 4a. 229 For the other five experiments (Cudiffcp 1.1, Cudiffcp 2.1, Cudiffcp 5.1, Cudiffcp 6.1 230 and Cudiffep 7.2), a crack occurred almost exactly along the interface (Fig. 4b). In order to 231 prevent loss of glass during polish, epoxy was added multiple times to protect the cracks. After 232 233 microprobe analyses, copper concentration profiles on both sides of the crack were compared: if necessary, a distance correction is made so that the profile across the crack is smooth. As a result, 234 a 7.5 μ m and 12.5 μ m correction to the concentration profiles was applied for experiments 235 Cudiffep 2.1 and Cudiffep 6.1, while no correction was applied to experiments Cudiffep 1.1, 236 Cudiffep 5.1 and Cudiffep 7.2. 237

Cu concentration profiles in all experiments besides Cudiffep 3.1 are shown in Fig. 5. The concentration profiles were fit by the solution to a one-dimensional diffusion couple with constant diffusivity (Crank 1975):

241
$$C = \frac{C_0 + C_1}{2} + \frac{C_0 - C_1}{2} \operatorname{erf} \frac{x - x_0}{\sqrt{4Dt}}$$
(3)

11

where C_0 is the initial Cu concentration at the Cu-free half of the diffusion couple (defined as x-242 $x_0 > 0$; C_1 is the initial Cu concentration at the Cu-bearing half (defined as $x - x_0 < 0$); D is copper 243 diffusivity and x_0 is the position of the interface. Since copper diffusivity is high, there is concern 244 that copper diffusion might have reached the ends of the diffusion couple. This would cause error 245 in fitting using Eq. 3, which assumes an infinite diffusion medium. Visual examination of the 246 data and fitting of the profiles indicate that for the longer-duration or higher-temperature 247 experiments (Cudiffcp 1.1, Cudiffcp 5.1 and Cudiffcp 7.2) diffusion seems to have reached the 248 249 two ends. Numerical fitting using the solution for finite diffusion medium was carried out for these three experiments (curves shown in Fig. 5), and the resulting diffusivities were only 3-5% 250 higher than that assuming infinite diffusion medium. 251

252

253 Temperature and pressure dependence of copper diffusivity

Experimental run conditions and results for all successful experiments are summarized in Table 2. An Arrhenius plot of all copper diffusivities obtained in this study is shown in Fig. 6. Diffusion data of the five experiments at 1 GPa and 1314-1575 °C in anhydrous basaltic melt can be expressed by the following Arrhenius relation:

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$$D_{Cu}^{\text{basalt}} = \exp\left[-(14.12 \pm 0.50) - \frac{11813 \pm 838}{T}\right], r^2 = 0.985$$
 (4)

where D_{Cu}^{basalt} is in m²/s, *T* is temperature in K, and errors are at 1 σ level. The above equation reproduces the five experimental ln*D* values to within 0.09 ln*D* units. The activation energy corresponding to Eq. 4 is 98.2 ± 7.0 kJ/mol. This small activation energy (~100 kJ/mol) means that the temperature dependence of copper diffusivity is relatively small compared to other elements, and is consistent with Cu diffusing as Cu⁺.

To evaluate the pressure effect on copper diffusivity, two experiments were done at 1.5 264 GPa and three experiments were done at 0.5 GPa (see Fig. 6). Two of the three 0.5 GPa 265 experiments gave diffusivities that are $\sim 20\%$ higher than the 1 GPa diffusivities, while 266 diffusivity from the other 0.5 GPa experiment fell 12% below the 1 GPa trend. Two 1.5 GPa 267 experiments gave diffusivities 12% and 29% below the 1 GPa diffusivities respectively. 268 Although the 0.5 GPa experiments have relatively larger errors (these are still small errors for 269 diffusion studies), a fit of all measured copper diffusivities at 1298 °C to 1581 °C and 0.5 to 1.5 270 271 GPa gives:

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$$D_{Cu}^{\text{basalt}} = \exp\left[-(13.59 \pm 0.81) - \frac{(12153 \pm 1229) + (620 \pm 241)P}{T}\right], r^2 = 0.938$$
(5)

where D_{Cu}^{basalt} is diffusivity in m²/s, *T* is temperature in K, *P* is pressure in GPa, and errors are at

1σ level. Eq. 5 corresponds to a pre-exponential factor $D_0 = (1.25 \div 2.2) \times 10^{-6} \text{ m}^2/\text{s}$, an activation

energy $E_a = 101 \pm 10 \text{ kJ/mol}$ and an activation volume $V_a = (5.2 \pm 2.0) \times 10^{-6} \text{ m}^3/\text{mol}$ for copper

diffusion in anhydrous basaltic melt. The above equation is able to reproduce all our

experimental lnD values to within 0.23 lnD units.

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279 **Possible complications and other sources of error**

Since basaltic melts have low viscosities at our experimental condition (about 10^{0} to $10^{1.3}$ Pa·s at temperatures from 1581 °C to 1298 °C using the viscosity model for Etna basalt by Giordano and Dingwell 2003), there is concern about whether convection has occurred during the experiments. Effort was made to examine whether convection is an issue in our experiments. First, at least three traverses 200 µm to 300 µm apart from each other were measured on every sample. If convection occurred, the three traverses would likely diverge, and diffusivities

286	obtained from these traverses may be significantly different from each other. The results show
287	that, diffusivities fitted to individual traverses in one sample are typically within $\sim 20\%$ from the
288	overall diffusivity, indicating no obvious convection. Second, two experiments (Cudiffcp 1.1 and
289	Cudiffcp 1.2) were conducted at the same temperature and pressure but with different duration
290	(465 s vs 163 s, almost a factor of 3 difference). As can be found in Table 2, relative diffusivity
291	difference between the two experiments is only about 8%, within our experimental error. Both
292	the consistency between diffusivities from Cudiffcp 1.1 and Cudiffcp 1.2 and the agreement
293	between different traverses in the same experiment suggest that the occurrence of convection is
294	unlikely in our experiments.
295	Temperature uncertainty may cause error in the data. As discussed in Methods,
296	temperature at the two ends of the diffusion couple can be 10 to 20 °C lower than the interface
297	temperature. Hence, the error caused by temperature uncertainty is estimated using this
298	maximum temperature uncertainty of 20 °C. Based on the activation energy of 98.2 kJ/mol for
299	Cu diffusivity at 1 GPa, the uncertainty of 20 °C can result in errors in D_{Cu} of 10% at 1300 °C
300	and 7% at 1600 °C. The uncertainty in Cu diffusivity due to pressure uncertainty is negligible
301	because copper diffusivity changes less than 20% when pressure changes by 0.5 GPa.
302	Another possible source of error is the effective run duration contributed by heating and
303	cooling. As a compromise to the high Cu diffusivity, most of our experiments were designed to
304	be only \sim 2 min long. Under this circumstance, the heating and quenching processes contribute
305	about 20% to 30% to the effective run duration, meaning Cu diffusivity is changed by 20% to
306	30% with the duration correction. However, the method we used to correct the duration (Eq. 2) is
307	accurate if the activation energy of Cu diffusion is constant.

308	As mentioned earlier, cracks occurred along the interface of five samples during quench
309	(Cudiffep 1.1, Cudiffep 2.1, Cudiffep 5.1, Cudiffep 6.1 and Cudiffep 7.2) and the cracks are
310	almost perfectly horizontal, and hence the distance across the crack cannot be determined by
311	comparing different traverses. For these five experiments, corrections were done by comparing
312	the trend of copper concentration profiles on both sides of the crack. As a result, a 7.5 μm and
313	12.5 μ m correction to the concentration profiles was applied for experiments Cudiffep 2.1 and
314	Cudiffep 6.1, while no correction was applied to experiment Cudiffep 1.1, Cudiffep 5.1 and
315	Cudiffep 7.2. This resulted in a 3% increase in diffusivity obtained from Cudiffep 2.1 and a 2%
316	increase in diffusivity obtained from Cudiffep 6.1.
317	The synthetic starting glasses are not perfectly homogeneous in copper concentration. In
318	the 8-mm-diameter copper-bearing synthetic glass, copper concentration can be \sim 1300 ppm at
319	the center and ~1000 ppm near the boundary (Fig. 1). However, considering that the glass
320	cylinder used for experiments is only about 1.5-mm tall, the copper concentration difference
321	across the glass cylinder is ~ 100 ppm, which is only slightly above our analytical error of ~ 80
322	ppm. Therefore the Cu concentration gradient in the starting glasses is unlikely to cause
323	significant error.
324	
325	DISCUSSION
326	Comparison with existing copper diffusivity data
327	For multivalent ions, valence state of the ion plays an important role in its diffusivity in
328	silicate melts and minerals. Ions in the lower valence state typically have higher diffusivities
329	because of the weaker bonding between these ions and surrounding melt structure (Zhang 2010).
330	Examples of multivalent ions in silicate melts include Fe^{2+} and Fe^{3+} , Sn^{2+} and Sn^{4+} , etc. Copper

331	is also a multivalent element in the natural system, and is commonly found as $0, +1$ or $+2$ in
332	natural occurrence. In the study of copper solubility in a mafic melt, Ripley and Brophy (1995)
333	plotted log copper solubility versus $\log f_{O_2}$, and found that copper dissolves into the melt
334	predominantly in +1 valence state at or below NNO. The high Cu diffusivity and low activation
335	energy for Cu diffusion observed in our study are consistent with Cu being univalent. Therefore
336	in this study, we regard our measured copper diffusivity as Cu^+ diffusivity.
337	As mentioned in the Introduction, we know of only one study reporting Cu^+ diffusivities
338	in Na ₂ Si ₂ O ₅ melt (von der Gonna and Russel 2000) using a voltammetry method. They reported
339	Cu^+ diffusivity to be 5.01 × 10 ⁻¹¹ m ² /s at 1100 °C with activation energy of 92.1 kJ/mol. Their
340	diffusivities of copper in $Na_2Si_2O_5$ glass melt are plotted in Fig. 7 (green open squares) to
341	compare with those measured in this study (red solid circles, diamonds and triangles). Cu^+
342	diffusivities in $Na_2Si_2O_5$ glass melt are smaller than those in basaltic melt by a factor of about 3
343	with similar activation energy.
344	Mungall (2002b) developed a model to calculate ion diffusivities in silicate melt.
345	Calculated Cu^+ diffusivities in basaltic melt using his model are plotted in Fig. 7 as a grey solid
346	line, and are about 3 to 5 times the diffusivities determined by our experiments. The model by
347	Mungall (2002b) shows larger errors in reproducing the diffusivities in the $Na_2Si_2O_5$ melt. At
348	1100°C, calculated Cu^+ diffusivities using his model are two orders of magnitude larger than the
349	experimental data by von der Gonna and Russel (2000).
350	

351 Comparison of copper diffusivity with that of other elements in anhydrous basaltic melts

Diffusivity data for selected elements in basaltic melts are also plotted in Fig. 7. From the figure, Cu diffusivity is almost identical to Na diffusivity at ~1400 °C, lower than Li diffusivity

354	by a factor of about 3 and significantly higher than diffusivities of all other cations shown in Fig.
355	7. At 1300 °C, Cu diffusivity is ~10 times Ca and Co diffusivity, 18 times Mg diffusivity, and
356	~30 times S and Fe diffusivity. Since Cu diffusion has smaller activation energy than all other
357	elements shown in Fig. 7, when temperature increases, Cu diffusivity increases slower than other
358	elements. At 1500 °C Cu diffusivity is only ~5 to 10 times higher than Mg, Fe, Co, S and Ca.
359	However when temperature decreases, Cu diffusivity decreases slower than all other elements
360	shown in Fig. 7, and becomes larger than Na diffusivity. At 1100 °C, Cu diffusivity will be ~200
361	times Fe diffusivity, 67 times Mg diffusivity, 35 times Co diffusivity, ~25 times Ca diffusivity
362	and 2.5 times Na diffusivity.
363	To examine the role of valence and size of cations, the radius of Cu^+ was compared to
364	other monovalent cations. For self-consistency, the ionic radii of Li ⁺ , Cu ⁺ and Na ⁺ in octahedral
365	sites (0.076, 0.077, and 0.102 nm, respectively, Shannon 1976) are compared. If diffusivities of
366	univalent cations in a given melt are mainly determined by the ionic radii (Mungall 2002b), Cu ⁺
367	diffusivity would be similar to Li^+ diffusivity. The fact that Cu^+ diffusivity is a factor of 3
368	smaller than Li^+ diffusivity but similar to Na^+ diffusivity indicates that other ionic characters
369	(e.g., electronegativity, the presence of d electrons, different co-ordination number, etc.) also
370	play a role in determining the diffusion rate.

371

372 Applications

The role of copper diffusion in magmatic sulfide deposit formation has been discussed above in the Introduction. The major conclusions by Mungall (2002a) and Zhang (2015) were consistent in that, if the diffusivity of a metal is much larger than sulfur diffusivity in basaltic melt, the partitioning of the metal into the sulfide phase can be regarded as in equilibrium. Both Mungall (2002a) and Zhang (2015) used the diffusivity model by Mungall (2002b) to estimate metal diffusivities in their study, and found Cu⁺ to be one of the most mobile elements in basaltic melt. Our results suggest that Mungall's model overestimated copper diffusivity in basaltic melt by a factor of 2 to 4. However, our measured copper diffusivity is still ~30 times higher than sulfur diffusivity in basaltic melt. Therefore copper partition into the sulfide melt can be regarded as equilibrium partitioning in most cases.

High copper diffusivity in basaltic melt might also play a role in metal transport by a 383 magmatic vapor phase (MVP). Nadeau et al. (2013) carried out a melt-inclusion study on 384 samples from Merapi volcano, Indonesia, and found that copper was more enriched in shallower 385 felsic melts (~45 ppm) than in deeper mafic melts (~25 ppm), which is opposite to the trend 386 387 normally observed in arc magmas. The unusual behavior of Cu could not be explained by crystal fractionation or combined assimilation and fractionation. Nadeau et al. (2010) suggested a 388 389 mechanism in which copper was transported from the mafic magma to the felsic magma by an 390 MVP enriched in copper. Since water diffusivity in basalt is high (Fig. 7), the growth of an MVP inside the magma is rapid. In this process, because the diffusivity of copper is lower than that of 391 H₂O but higher than that of other metal elements (except for Li and Na), copper would not reach 392 393 equilibrium concentration in the MVP but would be more efficiently enriched in the aqueous 394 volatile phase than the other metal elements. One complication is that, the partition coefficient of copper between the volatile phase and the silicate melt phase strongly depends on chlorine and 395 sulfur contents in the volatile phase (e.g., Candela and Holland 1984; Williams et al. 1995; Simon 396 et al. 2006 and Zajacz et al. 2008). Hence, enrichment of copper in the MVP would be controlled 397 by diffusion of sulfur or chlorine from the silicate melt to the MVP. As can be seen in Fig. 7, 398 $D_{\rm Cu} > D_{\rm Cl} > D_{\rm S}$ assuming water content in silicate melt does not change the sequence. Therefore, 399

in pure H₂O fluid phase, Cu concentration in the fluid phase would be even lower than that 400 indicated by the low partition coefficient, but if the fluid bubble is enriched in chlorine or sulfide. 401 copper partitioning between the fluid and melt phases would be roughly in equilibrium, while Cl 402 and S concentrations in the fluid bubble would be lower than that indicated by equilibrium 403 partitioning. Nadeau et al. (2013) did not specify the composition of the MVP in his study, but a 404 study by Zajacz and Halter (2009) found evidence for sulfur-rich vapor in melt and vapor 405 inclusions hosted by plagioclase. In that case, copper partitioning during the metal transportation 406 by an MVP is likely equilibrium partitioning again. 407

High copper diffusivity may also be responsible for rapid Cu loss from tektites, resulting 408 in large kinetic copper isotope fractionation. Movnier et al. (2010) measured copper isotope 409 410 ratios in tektites, and found almost all the tektites are greatly enriched in heavy Cu isotope (+1.99‰ $<\delta^{65}$ Cu < +6.98%), where δ^{65} Cu = ((65 Cu/ 63 Cu)_{sample}/(65 Cu/ 63 Cu)_{standard}-1)×1000\%. Because 411 tektites might have been heated to a temperature as high as >2800 °C (Walter 1967) for a short 412 period of time, and the half-condensation temperature for copper is 1037 K (Lodders 2003), 413 414 Movnier et al. (2010) proposed that copper isotopes were fractionated by evaporation loss, with lighter isotopes escaping more rapidly into the volatile phase. However, by comparing with their 415 416 previous study of zinc isotope fractionation in tektites (Moynier et al. 2009), the authors found zinc isotopes to be less fractionated than copper isotopes in the same set of samples ($\delta^{66/64}$ Zn up 417 to 2.49% comparing to $\delta^{65/63}$ Cu up to 6.98%). If Cu and Zn loss is due to open system 418 volatization (such as Raleigh fractionation in which a tektite droplet is uniform compositionally 419 and isotopically), because zinc has a much lower half-condensation temperature ($T_c \sim 726$ K, 420 Lodders 2003) than Cu, zinc isotopes would be more fractionated than copper isotopes, opposite 421 to the observations. Moynier et al. (2010) explained the more fractionated copper isotopes than 422

423	zinc isotopes by the higher diffusivity of Cu^+ than Zn^{2+} in silicate melts, and argued that the
424	isotopic fractionation in tektites was controlled by the competition between the evaporation flux
425	and the diffusion flux. They employed the diffusivity model by Mungall (2002b) and found Cu^+
426	diffusivity to be about 2 orders of magnitude higher than Zn^{2+} diffusivity, and used this result to
427	explain why copper isotopes are more fractionated than zinc isotopes. Using literature Zn^{2+}
428	diffusion data in rhyolitic melt (Baker and Watson, 1988) and our Cu ⁺ diffusion data, and
429	assuming melt composition does not affect Cu^+ diffusivity significantly (our preliminary data
430	reported in Ni et al., 2015 show that Cu^+ diffusivity in anhydrous rhyolitic melt is only ~50%
431	smaller than Cu ⁺ diffusivity in basalt), Cu ⁺ diffusivity is about 3 orders of magnitude higher than
432	Zn^{2+} diffusivity (Fig. 7). Hence, Cu and Zn diffusion data are consistent with the explanation by
433	Moynier et al. (2010).
434	
435	IMPLICATIONS
436	Our copper diffusion data in basaltic melt show that, copper diffusivity in anhydrous
437	basaltic melt is as high as that of sodium at ~1400 °C, and has a small activation energy (~100
438	kJ/mol). The measured copper diffusivities are \sim 3 times smaller than the values predicted by a
439	previous diffusivity model in the same melt, and ~3 times larger than reported copper
440	diffusivities in the $Na_2Si_2O_5$ melt. In basaltic melt, copper diffusivity is ~30 times higher than
441	sulfur diffusivity, indicating that during the formation of magmatic sulfide deposit, when
442	immiscible sulfide liquid drops separate from the host magma and settle to the bottom of the
443	magma chamber, the partitioning of copper into the sulfide liquid phase can be regarded as
444	equilibrium partitioning. In the process of porphyry-type deposit formation, where metal
445	transport from the more mafic magma to the more felsic magma by a magmatic volatile phase is

446	possible, high diffusivity of copper also ensures the efficiency of copper diffusion into and away
447	from the volatile phase. Because of the high diffusivity of copper in basaltic melt, kinetic
448	limitation of copper partitioning during ore formation is less likely a concern. This also means
449	copper may be diffusively fractionated from other ore elements with smaller diffusivity.
450	The results of our study can also be used to discuss the kinetic role in evaporation loss
451	and isotope fractionation of volatile elements in impact glasses. The more fractionated copper
452	isotopes than zinc isotopes as observed in tektites can be explained by the higher diffusivity of
453	Cu^+ than Zn^{2+} in silicate melts, despite the lower condensation temperature for zinc than copper.
454	Similar processes may also happen to lunar volcanic and impact glasses on the surface of Moon.
455	
456	ACKNOWLEDGEMENTS
457	We thank two anonymous reviewers for their constructive comments, and James Jolles
458	for informal comments. P. Ni thanks Zhengjiu Xu for training and help with piston-cylinder
459	experiments, Gordon Moore, Yang Chen and Yi Yu for help with microprobe analysis and
460	Chenghuan Guo for discussion about synthesizing glasses. This work was partially supported by
461	NSF grants EAR-1019440 and EAR-1524473. The electron microprobe used in this study was
462	acquired using NSF grant EAR-9911352.
463	
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- 548

549	FIGURE 1. Copper concentration profiles measured across the center sections of four synthesized
550	glass beads. Distances shown in the figure are relative to the approximate center of the glass
551	beads.
552	
553	FIGURE 2. Illustration of the experimental design for our diffusion couple experiments (modified
554	from Wang et al. 2009). Interface between the two glass halves are aligned to be at the center of
555	the graphite heater to minimize temperature gradient. The scale in the figure is not exact.
556	
557	FIGURE 3. Cu diffusion profile of experiment Cudiffcp 3.1. Probe results obtained on two
558	different days are in open symbols and closed symbols respectively. Traverses 3 to 5 were
559	moved down by 194 ppm to account for the background shift relative to traverses 1 and 2. The
560	diffusivity given in the figure is based on fit of all 5 traverses after the correction for the
561	background shift.
562	
563	FIGURE 4. Optical microscope images of experimental charges. (a) Cudiffcp 3.1; (b) Cudiffcp
564	7.2. The Cu-free glass is on the top while the Cu-bearing glass is at the bottom. In (a), two pieces
565	of glasses were welded together after the experiment; position of the interface is indicated by the
566	two dents on both sides of the glasses. In (b), there is a large crack right at the interface after the
567	experiment. Red dashed lines show the position of microprobe traverses.
568	
569	FIGURE 5. Cu concentration profiles for all diffusion couple experiments in this study. Different
570	symbols in each plot represent different traverses analyzed on the sample perpendicular to the
571	interface.

572 **FIGURE 6.** Arrhenius plot of all copper diffusion data obtained in this study. The linear fitting is 573 for 1 GPa experiments only. Errors shown on diffusivities are at 1σ level.

574

575	FIGURE 7. Comparison of Cu diffusivities obtained in this study to literature diffusivity data for
576	other elements in anhydrous basaltic melts unless otherwise indicated. a. Cu diffusivities at 0.5
577	GPa from this study; b. Cu diffusivities at 1.5 GPa from this study; c. Cu diffusivities at 1 GPa
578	from this study; d. Cu diffusivities in dry basaltic melt by Mungall's model (Mungall 2002b); e.
579	Cu diffusivities in Na ₂ Si ₂ O ₅ melt at 1000-1400°C and1 bar (von der Gonna and Russel 2000); f.
580	S diffusivities at 1225-1450 °C and 0.5-1 GPa (Freda et al. 2005); g. H ₂ O _t diffusivities at 1 wt%
581	water, 400-1500 °C, and \leq 1 GPa (Zhang and Ni 2010); h. Cl tracer diffusivities at 1250-1450 °C
582	and 0.5-1 GPa (Alletti et al. 2007); i. Li tracer diffusivities at 1300-1400 °C and 1 bar (Lowry et
583	al. 1981); j. Na tracer diffusivities at 1300-1400 °C and 1 bar (Lowry et al. 1982); k. Co tracer
584	diffusivities at 1300-1400 °C and 1 bar (Lowry et al. 1982); l. Zn diffusivities in anhydrous
585	rhyolite melt at 898-1400 °C and 0.01-1 GPa (Baker and Watson 1988).

586

	F	Et1	Et1Cu		Et2		Et2Cu	
wt%	ave	sd (10)						
SiO ₂	47.26	0.39	46.18	0.72	46.92	0.51	47.27	0.46
TiO ₂	1.62	0.06	1.63	0.04	1.67	0.05	1.66	0.05
Al_2O_3	17.52	0.27	18.17	0.64	17.72	0.85	17.21	0.40
FeOt	10.47	0.21	10.67	0.14	10.58	0.20	10.73	0.25
MgO	5.83	0.07	5.84	0.10	5.89	0.13	5.88	0.08
CaO	10.69	0.06	10.69	0.06	10.51	0.08	10.58	0.05
Na ₂ O	4.45	0.12	4.45	0.08	4.40	0.11	4.43	0.08
K ₂ O	2.03	0.04	1.90	0.04	2.06	0.04	2.10	0.04
Cu (ppm)	122	35	1174	121	82	22	1193	93
Total	99.88		99.65		99.76		99.98	

587 **TABLE 1.** Chemical compositions of the synthesized basaltic glasses.

588 Reported data are electron microprobe measurements of far-field compositions on the samples

after experiments, except for Cu, whose concentrations are measured on original glasses before

experiments. At least 20 points were analyzed and averaged for each glass composition. Details

about the microprobe analysis can be found in Analytical Methods.

592

Exp#	P (GPa)	<i>T</i> (°C)	Duration (s)		$D(10^{-12} m^2/s)$	
			$t_{1}(s)$	$t_2(s)$	D (10 $ III / S$)	Error (10)
Cudiffep 1.1	1	1314	429.3	464.6	403.7*	37.1
Cudiffep 1.2	1	1314	124.2	162.4	439.4	26.8
Cudiffep 2.1	1	1397	126.4	162.7	678.3	43.7
Cudiffep 3.1	1	1509	105.1	140.5	930.9	6.3
Cudiffep 4.2	0.5	1313	122.1	157.2	505.8	55.9
Cudiffep 4.3	0.5	1306	119.9	157.7	514.3	71.7
Cudiffep 4.4	0.5	1298	131.2	161.8	355.3	31.9
Cudiffep 5.1	1	1575	95.6	137.7	1237.3*	157.5
Cudiffep 6.1	1.5	1410	125.7	151.1	465.5	28.9
Cudiffep 7.2	1.5	1581	107.9	140.4	1104.6*	68.8

593 **TABLE 2.** Summary of experimental conditions and results.

594 \overline{P} is corrected pressure; T is corrected temperature; t_1 is the recorded duration at the target

temperature ± 1 °C; t_2 is the corrected duration using the method described in Experimental

596 Procedure.

*Diffusivities of these three experiments were fitted using the solution for a finite diffusion

598 medium as explained in the text.

Fig. 1



Figure 2



Fig. 3



Fig. 4a



Fig. 4b



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Fig. 5a



Fig. 5b



Fig. 5c









Fig. 5g



Fig. 5h



Fig. 5i



Fig. 6



Fig. 7

