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1   # Effects of fluid and melt density and structure on high pressure and
2   # temperature experimental studies of hydrogen isotope partitioning
3   # between coexisting melt and aqueous fluid
4

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11 **Abstract**

12 Hydrogen isotope partitioning (as H_2O and D_2O) between silicate-saturated aqueous

13 fluid and water-saturated aluminosilicate melt has been determined with

14 vibrational spectroscopy (Raman and infrared) *in-situ* with the samples at high

15 temperature and pressure by using a hydrothermal diamond anvil cell (HDAC) for

16 sample containment. In order to assess the effects of pressure and, therefore,

17 different silicate speciation in fluids and melts, on the D/H partitioning behavior,

18 two pressure/temperature experimental trajectories (450-800°C/155-754 MPa, and

19 450°-800°C/562-1271 MPa) were used. In these temperature and pressure ranges,

20 the fluid/melt partition coefficients are temperature (and pressure) dependent with

21 the average enthalpy change, ΔH = -6.6±15 kJ/mol and -10.3±1.1 kJ/mol for H_2O and

22 D_2O, respectively. The ΔH-values for the lower-pressure trajectory (and, therefore,

23 lower fluid density) were 15-20% higher than for the higher-pressure (and higher

24 fluid density) trajectory. The (D/H) ratios of fluids and melts, $(D/H)^{fluid}$ and

25 $(D/H)^{melt}$, are also temperature dependent with a small negative ΔH for $(D/H)^{fluid}$

26 (average: -2.4±0.8 kJ/mol) and a positive ΔH-value for $(D/H)^{melt}$ (2.3±1.4 kJ/mol).

27 The (D,H) exchange equilibrium between fluid and melt is also temperature (and

28 pressure) dependent so that for the low-density P/T trajectory, the ΔH=-4.2±0.6

29 kJ/mol, whereas for the higher-density trajectory, ΔH=-5.4±0.7 kJ/mol. The

30 difference between the H_2O and D_2O fluid/melt partition coefficients and the

31 temperature and pressure-dependent D/H fractionation behavior in and between

32 hydrous silicate melts and silicate-saturated aqueous fluid in part is because

33 pressure increases with increasing temperature in the HDAC experiments and the

34   volume difference between fluid and melt differ for H_2O and D_2O. In addition, the

35   silicate speciation in fluids and melts are temperature- and pressure-dependent,

36   which also leads to significantly temperature- and pressure-dependent D/H

37   fractionation within and between silicate melts and fluids at high temperature and

38   pressure. In the Earth's deep crust and upper mantle, hydrogen isotope partitioning

39   between condensed phases and aqueous fluid can differ substantially from that between

40   condensed phases and pure H_2O because the aqueous fluid in the Earth's interior is a

41   concentrated silicate solution wherein the silicate speciation affects the isotope

42   partitioning.

43

44   Introduction

45   Stable isotope (H, C, O, N, S) fractionation is a tool with which to model gas fluxing,

46   degassing, and other materials transport in geological processes (e.g., Pineau et al.,

47   1998; Hauri, 2002; Deines, 2002; Manning, 2004). Such modeling depends on

48   isotope fractionation factors. Theoretical modeling relies on assumptions of no

49   interaction between functional groups in the materials (such as in a gas phase, e. g.,

50   Niki et al., 1965; Richet and Bottinga, 1977). In aqueous solutions with strong

51   intermolecular forces (as much as ~20 kJ/mol for hydrogen bonding, for example;

52   Walrafen et al., 1996) this assumption fails (e. g., O'Neil and Truesdell, 1993;

53   Horita et al., 1995; Foustoukos and Mysen, 2012). Furthermore, in silicate melts,

54   whether water-bearing or anhydrous, there are interconnected structural units with

55   bond energies of tens to hundreds of kJ/mol (Bockris and Reddy, 1970; Poole et al.,

56   1995). Type and proportions of such structural units may govern the structural role

57   of protons and deuterons, for example (Cody et al., 2005; Wang et al., 2011). Similar

58   structural features describe silicate solute in aqueous solutions and high

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59   temperature and pressure (e.g., Zotov and Keppler, 2002; Mibe et al., 2008; Newton

60   and Manning, 2008). Such structural constraints can affect element and isotope

61   partitioning between melts, fluids, and other phases (O'Neil and Truesdell, 1993;

62   Horita et al., 1995; Driesner and Seward, 2000; Mysen, 2012, 2013).

63   Isotope partitioning has been determined experimentally by analyzing melts and

64   fluids in experimental charges following their physical separation after quenching of an

65   experiment to ambient temperature and pressure (Kuroda et al., 1982; Dobson et al.,

66   1989; Pineau et al., 1998). The separation process is, however, challenging because

67   during temperature-quenching of hydrous silicate systems, oxide components dissolved

68   in aqueous fluids at high temperature and pressure tend to precipitate (Schneider and

69   Eggler, 1984; Mysen and Wheeler, 2000). This quench precipitation alters the

70   composition of the fluid from its equilibrium values and likely also alters the isotope ratio

71   of the residual fluid because isotope fractionation varies with solute concentration in the

72   fluid (O'Neil and Truesdell, 1993; Horita et al., 1995). The precipitates formed in this

73   manner often cannot be separated completely from coexisting glass or crystals, which

74   renders a major challenge recombination of residual fluid and quenched oxide

75   components to that which existed at high temperature and pressure. Additional

76   complexity can arise from water dissolved in melts at high pressure and temperature

77   because some of this water often exsolves from the melt during cooling of melt to a glass

78   for ambient-condition study. This exsolution process results in water contents of

79   quenched hydrous glass that differ from their high temperature and pressure equilibrium

80   values (Yoder et al., 1957; Eggler and Burnham, 1984). Water exsolution likely also

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81   leads to different isotope ratios of the quenched glass compared with the values at high

82   temperature and pressure prior to quenching.

83   Experimental barriers caused by temperature- and pressure-quenching of

84   experimental charges before analysis can be avoided completely by analysis of the

85   samples *in-situ* while at the temperature and pressure of interest. In this report, the

86   behavior of deuterium and hydrogen has been evaluated in this manner. To this end, the

87   D/H ratios in coexisting melt and fluid, D and H partitioning between them, and D/H

88   exchange equilibria between fluid and melt have been determined by using vibrational

89   spectroscopy to probe samples *in-situ* at high temperature and pressure contained in an

90   externally-heated hydrothermal diamond anvil cell (Bassett et al., 1996). Two different

91   pressure-/temperature-trajectories were explored. In this manner, effects of total water

92   content of melts and of silicate content of coexisting fluid on D/H partitioning between

93   silicate-saturated aqueous fluid and water-saturated silicate melts were evaluated without

94   results being affected by alteration of melts and fluid during temperature-/pressure-

95   quenching of an experiments before isotope analysis.

96

97   **Experimental Methods**

98   Starting material was the NA10 composition glass originally used by Mysen (2007). This

99   melt has NBO/T=0.5 and Al/(Al+Si)=0.189, which are reasonable approximations to melt

100   polymerization and Al/(Al+Si)-values of island arc andesitic magmas (NBO/T:

101   nonbridging oxygen per tetrahedrally coordinated cations; see Table 1 for description of

102   NBO/T calculation of melt and glass from chemical composition). This composition also

103   has a sufficiently low liquidus temperature and glass transition temperature so that

5

104   examination of melt+fluid equilibria is feasible over a large temperature interval below

105   the practical temperature maximum of an externally-heated diamond anvil cell ($\leq 1000°C$

106   – Bassett et al., 1996).

107   Small glass chips (<100 μm across) were loaded together with a D_2O+H_2O (50:50 by

108   volume) liquid, ^{13}C diamond chips (to monitor pressure), and Pt metal (to enhance

109   equilibration rates – see Horita, 1988) in the 500μm central hole of 125 μm thick Ir

110   gaskets used in the diamond cell (Fig. 1). During an experiment, this diameter shrank to

111   ~400 μm and the gasket to ~80-90 μm thickness.

112   The hydrothermal diamond anvil cell (HDAC) was heated with two Mo-wound

113   furnaces (0.1 mm diameter Mo wire) surrounding the upper and lower diamond,

114   respectively. Temperature was measured (and controlled) with K-type thermocouples to

115   within ±1°C. Pressure was generated by the fluid because as temperature is increased and

116   sample volume is kept constant by using the method to ascertain constant sample volume

117   as described by Bassett et al. (1996). Under the assumption that the PVT properties of

118   silicate-saturated mixed (D_2O+H_2O) fluid are the same as those of pure H_2O, pressure can

119   be calculated at any temperature. However, these assumptions can lead to erroneous

120   pressure estimates (e.g., Mysen, 2010), and an independent pressure sensor, therefore,

121   was employed. This was accomplished by monitoring the one-phonon Raman shift of

122   synthetic ^{13}C diamond (Schiferl et al., 1997; Mysen and Yamashita; 2010). Spectrometer

123   positional precision is critical, therefore, to minimize pressure uncertainty. This precision

124   was optimized by using 2400 gratings/mm and Ne emission lines as internal frequency

125   reference. The uncertainty in frequency of the ^{13}C diamond one-phonon-shift then is

126   about ±0.1 cm^{-1}. From the calibration curve of Mysen and Yamashita (2010), this

127   frequency precision results in ± 40 cm^{-1} precision of pressure. The calibration itself does,

128   however, carry an approximately ± 100 MPa error so that the combined uncertainty in the

129   pressure from the one-phonon Raman shift of the ^{13}C diamond is about ± 110 cm^{-1}.

130   Platinum was added to the sample chamber because Pt enhances isotope exchange

131   rate (Horita, 1988). For example, D/H equilibrium between liquid H_2O and H_2 at 25˚C

132   and ambient pressure is reached within 1-2 hrs (Horita, 1988). Results of time studies of

133   D/H partitioning between fluid and melts using similar compositions and temperature, but

134   higher pressures also indicate that an hour is sufficient to reach isotopic equilibrium

135   (Mysen, 2013).

136   Whether or not the presence of Pt result in dissociation of H_2O to form H_2 and

137   platinum oxide or iridium oxide was assessed by subjecting H_2O in contact with Pt and in

138   Ir gaskets to 400˚-800˚C/660-1440 MPa by using an HDAC design identical to those

139   under which the D/H partitioning experiments were carried out. There is no evidence of

140   H_2 in the H_2O even at the highest temperatures and pressures (Fig. 3). This result likely is

141   because Pt- and Ir oxides are not stable under these experimental conditions.

142   Coexisting melt and fluid were probed *in-situ* while the samples were at the

143   temperatures and pressures of interest by using a JASCO™ model IMV4000 microFTIR

144   and with an NRS-3100 confocal microRaman spectrometer. Transmission infrared

145   spectroscopy was conducted with 10X objective and condenser cassegraine lenses,

146   an MCT detector, CaF_2 beam splitter and a halogen light source. It should be noted

147   that for the infrared absorption spectroscopy of melt globules in a matrix of silicate-

148   saturated fluid, there often was some interference on spectra of melt from its

149   surrounding aqueous fluid. This interference was because the globule-diameter

150 frequently was less than the distance between the diamond culets (sample

151 thickness; 80-90 μm). When recording the absorption spectra under such

152 circumstances (as illustrated schematically in Fig. 2), the infrared beam will pass

153 through both melt and fluid during measurement. The absorption signal will,

154 therefore, comprise contributions from both melt and fluid.

155 Raman spectroscopic measurements were carried out with a 532 nm laser operating at

156 ~ 7 mW at the sample. Spectra were recorded through a 50X magnification/0.42 N.A.

157 long-working distance Mitutoyo™ objective lens. An Andor™ Model DV401-F1

158 1024x128 pixel (25 μm pixel size) Peltier-cooled CCD was used for signal detection. The

159 spectrometer has a single monochromator, a holographic notch filter, and holographic

160 gratings with 600, 1200, and 2400 gratings/mm available for use. For the measurements,

161 600 gratings/mm were used, which results in a CCD energy window corresponding to ~

162 3650 cm^{-1}. The frequency uncertainty with 600 gratings/mm is ±3-4 cm^{-1}. For the Raman

163 spectroscopic measurements of ^{13}C diamond used for pressure estimates, 2400

164 gratings/mm were employed with Ne emission lines used for internal frequency

165 calibration, which result in the frequency uncertainty is ±0.1 cm^{-1} discussed in more

166 detail above. The diameter of the laser beam at the sample was ~ 1 μm. The sample

167 excitation volume extends to 10-20 μm depth for transparent samples such as fluid and

168 melt. The Raman measurements do not suffer from the same interference issues that

169 affected the infrared absorption measurements because of the much smaller sample

170 volume probed with the Raman spectroscopy compared with FTIR absorption

171 spectroscopy,.

172   In each of the two pressure/temperature series of Raman and infrared measurements,

173   the sample was first brought to the highest temperature (800°C) and corresponding

174   pressure (1271 and 754 MPa for high-density and low density fluid, respectively; see

175   below for further detail). Following Raman spectroscopic measurements of the carbon-13

176   diamond, of diamond in the diamond cell itself, of fluid, and of melt at this temperature

177   (and pressure), the temperature was decreased at 1°C/s to successively lower

178   temperatures and then kept for approximately an hour at each of the desired temperature

179   and pressure conditions (Table 2) followed by the same sequence of spectroscopic

180   measurements. The same sample was, therefore, used for all temperatures and pressures

181   in each of the two series of Raman and infrared measurement. In order to remove the

182   interference from the 2nd order diamond shift, Raman spectra of diamonds recorded at the

183   same temperature as the spectra of samples, were subtracted from the spectra of fluids

184   and melts.

185   The infrared spectroscopic measurements were conducted subsequent to Raman

186   measurements, and using the same sample and with the same temperature/pressure path

187   as in the Raman spectroscopy. It was assumed that the pressures during the infrared

188   measurements were the same as those during the Raman measurements. Absorption

189   spectra of an empty cell after measurements were recorded at the same temperatures in

190   order to normalize out the effect of diamond absorption on the infrared spectra.

191

192   **Results**

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193   The temperature-dependent P/T paths of the two series of experiments with

194   different fluid densities (termed low density and high density; Fig. 4, see also Table

195   2) were:

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197     $P_{low\ density} = 573 - 2.29 \cdot T(°C) + 0.00313 \cdot T^2$,   (1a)

198

199   and

200

201     $P_{high\ density} = 24 + 0.999 \cdot T(°C) + 0.000671 \cdot T^2$.   (1b)

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203   The pressure/temperature relations calculated with the assumption that the fluid

204   density in the experiments can be modeled with that of pure H_2O (Wagner and Pruss,

205   2002) are also shown in Fig. 4. There is difference between the trajectories derived with

206   this method compared with that from the one-phonon shift of carbon-13 diamond (Fig. 4)

207   exists because silicate components are dissolved in the fluid (Manning, 1994; Newton

208   and Manning, 2008). These solutes affect PVT properties of the aqueous fluid (Mysen,

209   2010). Furthermore, PVT properties of D_2O fluid as compared with pure H_2O (Bazaev et

210   al., 2003) might also contribute to the difference pressure/temperature trajectories.

211   Under the conditions investigated, the temperatures exceed that of the glass

212   transition because dissolved water depresses this temperature by several hundred

213   degrees (Duebner et al., 2003; Del Gaudio et al., 2007). Above the glass transition

214   temperature (but not necessarily above the liquidus temperature), the supercooled

215   melt behaves structurally and thermodynamically as a melt (the material is

216   energetically relaxed). This is not the case for a glass, which is not relaxed (e. g.,

217   Moynihan et al., 1976; Scherer, 1986). It follows that the data reported here are

218   quantitatively applicable to those of a melt above its liquidus temperature.

219

220   *Raman Spectra.*

221   Information on the nature of the aluminosilicate bonding environment (structure)

222   was derived from interpretation of the spectra in the low-frequency range, 200-

223   1200 cm^{-1}. The D_2O and H_2O environments were probed with spectra in the high-

224   frequency range between about 2500 and 3800 cm^{-1}.

225   In the low-frequency range, the Raman spectra of hydrous melts

226   characteristically have broad bands in the 300-600 cm^{-1} and 800-1200 cm^{-1}

227   frequency ranges (Fig. 4). This topology remains at all temperatures and pressures

228   under study here. These features are typical of alkali aluminosilicate glass and melt

229   spectra whether these materials are anhydrous or hydrous (e.g., McMillan et al.,

230   1992; Mysen, 2007; Malfait et al., 2007).

231   With increasing temperature and pressure, there is intensity growth centered

232   near 500 and 850 cm^{-1} (marked "a" and "b", respectively, in Fig. 5). The

233   intensity near 500 cm^{-1} is assigned to bending and rocking (Si, Al)-O vibrations in

234   depolymerized structural units. The abundance of these structural units increases,

235   therefore, with increasing temperature and pressure (which also results in

236   increasing water solubility in silicate melts; see McMillan, 1994, for review). The

237   intensity, "b" (Fig. 5), likely could be assigned to Si-OH stretching (near 970 cm^{-1};

238   e.g. Stolen and Walrafen, 1976), Si-OD stretching (near 900 cm^{-1}; McMillan et al.,

239   1993), and Si-O^{-} stretching in Q^2 species (near 950 cm^{-1}; Mysen, 2007).

240   The low-frequency range in Raman spectra of silicate-saturated fluid differs

241   from the spectra of hydrous melts in that its dominant intensity is near 770 cm^{-1}

242   instead of the lower- and higher-frequency intensity maxima in the spectra of

243   hydrous melts (Figs. 5 and 6). This frequency is identical to that in spectra of fluids

244   in Al-free silicate systems (Zotov and Keppler, 2002; Mysen, 2009). In the spectra of

245   low-density fluid, the 770 cm^{-1} band is the only discernible Raman signal (Fig. 6A),

246   whereas in the spectra of high-density fluid (where the pressure at given

247   temperature is twice or more than that of low-density fluid; Table 2) there is

248   intensity growth near 600 cm^{-1} (marked "a" in Fig. 6B). At the highest

249   temperatures and pressures there is also a shoulder on the high-frequency side of

250   the 770 cm^{-1} band (marked "b" in Fig. 6B).

251   The 770 cm^{-1} band (Fig. 6) in Raman spectra of silicate-saturated aqueous fluids

252   is assigned to Si-O^{-} stretching in Q^0 units (e.g., Zotov and Keppler, 2002; Mibe et al.,

253   2008). In the low-density fluid, the only detectable silicate species is, therefore, Q^0

254   (isolated SiO$_4$ tetrahedra). In the high-density fluids, on the other hand, the

255   additional Raman intensity on the low- and high-frequency side of the 770 cm^{-1}

256   band is because more polymerized structural units of silicate in the high-density

257   fluid.   The shoulder near 820-830 cm^{-1} ("b" in Fig. 6B) is assigned to Si-O^{-}

258   stretching in Q^1-species and the intensity maximum marked "a" in Fig. 5b most

259   likely is due to Si-O-Si bending motion of the same species (e.g., Zotov and Keppler,

260   2002; Mibe et al., 2008).

12

261   In the high-frequency range, the Raman spectra are dominated by intensity

262   envelopes in the 2500-2700 cm^{-1} and 3200-3700 cm^{-1} ranges, respectively (shown

263   with gradient fill and light gray fill in Fig. 7). The envelope between 3200 and 3700

264   cm^{-1} is a comparatively featureless broad asymmetric band that evolves toward a

265   single, symmetric band with increasing temperature (and pressure). This evolution

266   is similar to that in spectra of aqueous fluids and hydrous melts in other systems

267   (Kohl et al., 1991; Frantz et al., 1993; Kawamoto, 2004). The bands that comprise this

268   intensity envelope are assigned to OH vibrations in molecular H_2O and in HDO (c) and to

269   OH vibrations in OH-groups that are bonded to metal cations (i. e., Si^{4+}, Al^{3+}, and

270   perhaps Na^+; Mysen and Virgo, 1986; Cody et al., 2005). The temperature-dependent

271   evolution of this intensity envelope toward a single symmetric band reflects

272   diminishing extent of hydrogen bonding with increasing temperature (Walrafen et

273   al., 1986; Frantz et al., 1993; Foustoukos and Mysen, 2012).

274   The 2500-2800 cm^{-1} intensity envelope comprises bands that are assigned to O

275    $\cdots$D vibrations in molecular D_2O and HDO, and in OD groups bonded to metal

276   cations (see, for example, Walrafen, 1971; Max and Chapados, 2002; Foustoukos and

277   Mysen, 2012). There is considerably more topological variation in this intensity envelope

278   than in the higher-frequency envelope comprising O...H vibrations (Fig. 7). The two

279   highest-frequency bands, near 2650 and 2550 cm^{-1}, respectively, are assigned to OD

280   groups that form bonding with Si^{4+} and Al^{3+} (Walrafen, 1971; Max and Chapados, 2002).

281   There is, in addition, a third band near 2450 cm^{-1}, which is more intense in spectra of

282   melts than in spectra of fluids (marked "b" in the examples in Fig. 7). It is possible that

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283   this band can be assigned to OD stretching in OD groups bonded to Na^+. The relative

284   intensities of these groups of bands differ in the spectra of melts and fluids (Fig. 7).

285   Finally, there are two bands (at 2910 and 2970 cm^{-1}) observed in all spectra of

286   fluid, but that are not seen in spectra of melts (marked "a" in Fig. 7). There are several

287   possible assignments of these bands. This frequency range is, for example, that where

288   bands assignable to C..H stretching in organic functional groups (e.g., Socrates, 2001). It

289   is also where D..D vibrations in D_2 would occur (e.g., Veirs and Rosenblatt, 1987;

290   Socrates, 2001). However, the assignment to D_2 is highly unlikely because there is no

291   evidence of H_2 (dominant Raman bands near 4150 cm^{-1}) or HD (sharp band near 3620

292   cm^{-1}; Williams et al., 2002). The first alternative implies interaction of the H_2O+D_2O

293   fluid with carbon in the sample area. For example, it could be a reaction between H_2O

294   and carbon in the diamond of the HDAC to form CH_4 (Chou and Anderson, 2009).

295   Another possible source of the carbon is incomplete removal of a residue of organic

296   solvents from cleaning of gaskets after polishing. Whatever the source of carbon, the

297   band near 2900 cm^{-1} could be assigned to C-H stretching in CH_4 or methyl (CH_3) groups

298   and the 2960 cm^{-1} band to C-H stretching in CH_xD_y isotopologues (Foustoukos and

299   Mysen, 2013). The latter isotopologues were then formed by interaction with deuterium

300   in the D_2O.

301

302   *Infrared Absorption Spectra*

303   Infrared absorption spectra were recorded between 2000 and 7800 cm^{-1}. The two

304   dominant regions are centered near 2600 and 3500 cm^{-1} (gradient-filled and gray

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305   fill, respectively; see Fig. 8). In addition, there are much weaker bands near 4500,

306   5200 and, sometimes, 7000 cm^{-1} (see inserts, Fig. 8).

307   The principal contribution to the 2600 cm^{-1} maximum is absorption by OD

308   groups in molecular D_2O and from OD-groups forming bonds with metal cations

309   (Bukka et al., 1992; Martra et al., 2001). The equivalent OH absorptions result in the

310   other main peak centered near 3500 cm^{-1} (e.g., Stone and Walrafen, 1982). In

311   addition, possible combination bands of OD/SiOD and OD/SiOH, computed by linear

312   combination of the OD fundamental stretching at 2600 cm^{-1}, SiOH near 970 and

313   SiOD near 900 cm^{-1}, can result in absorption bands in the 3500-3600 cm^{-1} frequency

314   region of the infrared spectra (see also Stone and Walrafen, 1982). If present, the

315   intensity contributions from these peaks cannot be isolated quantitatively from the

316   intensity assigned to fundamental OH stretch. It is proposed, for example, that the

317   peak marked "b" could contain this contribution (Fig. 8).

318   The much weaker bands near 4500 and 5000 cm^{-1} (Fig. 8) commonly are

319   interpreted to be combination bands involving OH-groups and H_2O, respectively

320   (e.g., Stolper, 1982; Behrens and Nowak, 2003). It is possible, however, that a peak

321   marked "a" in the inserts in Fig. 8 could be the first overtone of molecular D_2O

322   (Walrafen et al., 1996). That notwithstanding, the much grater OH/H_2O ratio in

323   hydrous melts as compared with coexisting, silicate-saturated aqueous fluid is

324   visually evident (Fig. 8).

325

326   **Discussion**

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327 Water and heavy water exist in melts and fluids in the form of OH and OD groups

328 that form bonds with silicate components and as molecular H_2O (shown with the

329 symbol H_2O^o here) and molecular D_2O (shown as D_2O^o). The Raman scattering and

330 infrared absorption from these two groups of species may be used to extract D and

331 H partitioning between fluids and melts. To this end, the ratios of integrated area of

332 the intensity envelopes near 2600 cm^{-1} and 3500 cm^{-1} in the Raman and FTIR

333 spectra (Figs. 7 and 8), assigned to vibration of OD- and OH-bearing species,

334 whether bonded to metal cations or protons, respectively, can be used as a measure

335 of concentration ratios of OD- and OH-containing species, respectively, provided

336 that the force constants of OD and OH stretching are the same. Mysen (2013)

337 concluded that this is so, which means that these force constants cancel out and, therefore,

338 the ratio of integrated areas equals the abundance ratio of deuterated and pronated species.

339 These concentration ratios are equivalent to total D and H concentration ratios in

340 the samples because there is no evidence for other H- or D-bearing species.

341 Therefore, it follows from the Raman spectra;

342

343 $D/H = X_{OD+(D2O)}^o / X_{OH+(H2O)}^o = A_{OD}/A_{OH}.$ (2)

344

345 In eqn. (2), $X_{OD+(D2O)}^o$ and $X_{OH+(H2O)}^o$ are the sum of concentrations of structurally

346 bound OD and molecular D_2O and OH and molecular H_2O. The A_{OD} and A_{OH} are the

347 integrated areas of Raman frequencies centered near 2600 and 3500 cm^{-1},

348 respectively (Fig. 8). In equation (2), it is assumed that the force constants for OD and

349 OH stretching are the same in all environments so that the ratio of integrated areas,

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350   A_{OD}/A_{OH}, equals the abundance ratio, $X_{OD+(D2O)}^o/X_{OH+(H2O)}^o$. Mysen (2013) found this

351   assumption accurate within the error of the data (~5 %) by measuring the ratios of

352   integrated areas, A_{OD}/A_{OH}, for supercritical fluids with known $X_{OD+(D2O)}^o/X_{OH+(H2O)}^o$.

353   The deuterium and proton partition coefficients between fluid and melt derived

354   from the Raman spectra are;

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356    $K_D^{fluid/melt} = X_{OD+(D2O)}^{o\ fluid}/X_{OD+(D2O)}^{o\ melt} = A_{OD}^{fluid}/A_{OD}^{melt}$,   (3a)

357

358   and

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360    $K_H^{fluid/melt} = X_{OH+(H2O)}^{o\ fluid}/X_{OH+(H2O)}^{o\ melt} = A_{OH}^{fluid}/A_{OH}^{melt}$.   (3b)

361

362   No additional assumptions are needed.

363   For infrared absorption spectra, molecular weights of D_2O and H_2O and density

364   of fluid and melt must be integrated into the calculations. By using the Beer-Lambert

365   law simply to describe a relationship between total H_2O and D_2O and the absorption

366   intensities, the (D/H)-ratio from the FTIR absorption spectra is;

367

368    $(D/H) = X_{OD+(D2O)}^o/X_{OH+(H2O)}^o = (A_{OD}/A_{OH}) \cdot 20.02/18.02$,   (4)

369

370   where 20.02 and 18.02 are molecular weights of D_2O and H_2O, respectively. The

371   fluid/melt partition coefficients are;

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373 $\quad K_D^{fluid/melt} = X_{OD+(D2O)}^{o \, fluid}/X_{OD+(D2O)}^{o \, melt} = (A_{OD}^{fluid}/A_{OD}^{melt}) \bullet (d^{melt}/d^{fluid}),$ (5a)

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375 and

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377 $\quad K_H^{fluid/melt} = X_{OH+(H2O)}^{o \, fluid}/X_{OH+(H2O)}^{o \, melt} = A_{OH}^{fluid}/A_{OH}^{melt} \bullet (d^{melt}/d^{fluid}),$ (5b)

378

379 where d^{melt} and d^{fluid}, are the density of melt and fluid, respectively.

380 $\qquad$ In equations (4) and (5), it is assumed that the molar absorption coefficients for

381 total H_2O and total D_2O do not vary with concentration of water and heavy water,

382 respectively, and that their values are equal so that these cancel out in eqns. (4) and

383 (5). The ratio of structurally bound OH-groups to molecular water, OH/H_2O^o, in

384 melts is insensitive to total H_2O at concentration higher than 5-6 wt% (Dixon and

385 Stolper, 1995; Zotov and Keppler, 1998). The water solubility in the present melts is

386 not known with precision. However, by using the empirical water solubility model

387 of Moore et al. (1998), an H_2O content ≥5 wt% in these melts is approximately

388 correct for the lowest temperature and pressure and increases with increasing

389 temperature and pressure. The OH/H_2O^o ratio, therefore, is not expected to vary

390 much in the temperature and pressure ranges studied. Less is known about the

391 behavior of heavy water. It is assumed, therefore, that the D_2O solubility and the

392 OD/D_2O^o ratio are similar to those of H_2O.

393 $\qquad$ The density of fluid and melt is also needed in equation (5). Fluid density was

394 derived from the intersection of a fluid isochore with the fluid+vapor univariant

395 curve and using the PVT data of pure H_2O to determine the corresponding density

18

396   (Wagner and Pruss, 2002). It is assumed, therefore, that the density of a silicate-

397   saturated mixed H_2O+D_2O fluid can be modeled with the properties of pure H_2O.

398   This assumption leads to a density uncertainty. This uncertainty increases with

399   increasing temperature and pressure and may be as high as 10 % at the highest

400   temperatures and pressures because of the increased silicate solubility in aqueous

401   fluids with increasing temperature and pressure (see Mysen, 2010). These

402   differences from the PVT behavior of pure H_2O are also reflected the different

403   pressure/temperature trajectories in Fig. 4.

404   The density of coexisting water-saturated hydrous melt is also temperature- and

405   pressure-dependent. This is in part because of temperature- and pressure-

406   dependent thermal expansion and compressibility and in part because the solubility

407   of water in melts increases with increasing pressure. By using the partial molar

408   volumes of oxides in silicate melts from Lange (1994), water solubility estimates

409   from Moore et al. (1998), and a partial molar volume of H_2O of 12 cm^3/mol (Richet

410   et al., 2000), the melt density is 2.2±0.2 g/cm^3 in the pressure/temperature range of

411   the experiments. This value was used in equation (5).

412   The fluid/melt partition coefficient, $K_H^{fluid/melt}$, differs from that of $K_D^{fluid/melt}$ at all

413   temperatures, pressures, and fluid densities (Figs. 9 and 10). The ΔH-value, obtained

414   from the slope of the relationships between ln $K_H^{fluid/melt}$ vs. 1/T and ln $K_D^{fluid/melt}$ vs.

415   1/T (Figs. 9 and 10), is essentially the same whether from Raman or FTIR data

416   (Table 3). We note, however, that the curves for the FTIR spectra are offset to higher

417   partition coefficient values compared with those determined from the Raman

418   spectra (Figs. 9 and 10). This offset could be because of too high melt density or too

19

419   low fluid density when calculating the K_D and K_H-values with equation (5). An error

420   of 20-25% in the fluid/melt density ratio is necessary to reach agreement between

421   the partition coefficients from the two different spectroscopic measurements. This

422   is larger than the error introduced by the uncertainty in the density estimates. It is

423   likely, therefore, that at least a portion of the difference is because there are

424   contributions other than OD and OH stretch vibrations to each of the two main

425   absorption envelopes at 2600 and 3500 cm^{-1}.

426   The ΔH for the D_2O partitioning is about twice that of H_2O, which may suggest

427   partial molar volume differences between H_2O and D_2O in melt and fluid (partial

428   molar volume of H_2O and D_2O in aqueous brines do indeed differ, see for example;

429   Trevani et al., 2007) because pressure increases with temperature in these

430   experiments. A volume effect might contribute to the slightly different ΔH-values in

431   the two experimental series with different fluid density (Figs. 4, 9, 10; Table 3). With

432   different partial molar volumes of D_2O and H_2O in melts and fluids, their pressure

433   derivatives likely also are different. Therefore, the volume difference, $\Delta V^{fluid-melt}$, for

434   H_2O and D_2O are not the same and the difference is pressure-dependent. The

435   different ΔH-values may also be due to variations in silicate, water, and heavy water

436   speciation in melts and fluids, or contributions from all these factors.

437   It follows from the temperature-dependent $K_D^{fluid/melt}$ and $K_H^{fluid/melt}$ that $(D/H)^{fluid}$ and

438     $(D/H)^{melt}$ are also temperature (and pressure dependent; see Fig. 11). However, the

439   behavior differs for melt and fluid with $(D/H)^{fluid}$ decreasing with increasing temperature,

440   whereas for $(D/H)^{melt}$, the temperature correlation is positive (Fig. 11). The slope from

441   the high-density FTIR data yields a ΔH-value in the same range as that obtained with the

442   Raman data, but the error is very large because of the data scatter (see above for

443   discussion of this). The ΔH derived from the temperature relationships of $(D/H)^{fluid}$ is

444   slightly greater for the low-density than for high-density fluid (Fig. 11A; Table 3). This

445   difference likely is because in the low-density fluid, the only silicate-species is Q^0 over

446   the entire temperature and pressure range, whereas for the high-density fluid, additional

447   Q-species are formed at the higher temperatures and pressures. In this regard the high-

448   density data resemble the even high-density fluid experiments by Mysen (2013) (see also

449   Fig. 4). In contrast, the $(D/H)^{melt}$ increases with increasing temperature (Fig. 11B) with

450   the ΔH of $(D/H)^{melt}$ slightly less temperature-dependent in the experiments where melt

451   coexists with low-density fluid than when with high-density fluid (Table 3). Because the

452   pressure/temperature trajectories of the two experimental series experiments differ, so

453   does the solubility of water in the melt. That, in turn, causes changes in abundance

454   trajectories of Q-species along the different pressure/temperature paths, which, in turn,

455   appear to change the details of how water and heavy water interact with the silicate melt.

456   The D/H exchange equilibrium constant, $K_{D/H}^{fluid/melt}$, for,

457

458   $H_2O(melt) + D_2O(fluid) = D_2O(melt) + H_2O(fluid)$,   (6)
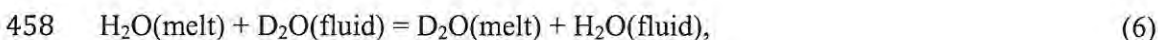
459

460   where H_2O and D_2O denote total water and heavy water concentration. The equilibrium

461   constant,

462

463   $K_{D/H}^{fluid/melt} = X_{D2O}^{melt} \cdot X_{H2O}^{fluid} / X_{H2O}^{melt} \cdot X_{D2O}^{fluid} = (D/H)^{melt}/(D/H)^{fluid}$,   (7)

464

465   is shown as a function of temperature (and pressure) in Fig. 12. Here the mol fractions

466   represent the sum of water and heavy water dissolved in fluids and melts both as OH and

467   OD groups bonded to silicate components and as molecular H_2O^o and D_2O^o.

468   The (D/H) partitioning relationships (Fig. 12) may be partly because the composition

469   and structure of fluid and melt are temperature and pressure-dependent and, therefore, so

470   is the $(D/H)^{fluid}$ and $(D/H)^{melt}$. In addition, the pressure increase will affect the (D/H)-

471   partitioning in part because, in analogy with D-substituted $Mg(OH)_2$ (Horita et al., 2010),

472   the compressibility and density of D_2O-bearing melt differs from those of H_2O-bearing

473   melt and fluid. In addition, the speciation and abundance of silicate solute in fluid is

474   temperature- and pressure-dependent, which can cause D/H fractionation to vary. The

475   contribution from fluid is silicate concentration dependent, so the higher the fluid density,

476   the more of an influence from the silicate components in aqueous fluid is likely. The

477   resulting difference in D/H fractionation factors is the underlying cause for the

478   temperature/pressure dependence.

479   The D/H partitioning data reported here and elsewhere (Wang et al., 2011; Mysen,

480   2013) were obtained in compositionally relatively simple aluminosilicate systems and

481   cannot, therefore, be applied quantitatively to characterization of natural processes.

482   However, the principles that relate silicate speciation in fluids and melts to D/H

483   fractionation are the same whether in chemically simple systems such as studied here or

484   in chemically more complex systems such as those of magmatic liquids and hydrothermal

485   fluids in the crust and the mantle of the Earth.

486

487   **Acknowledgments**

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674

675   Table 1. Procedure to calculate NBO/T of a melt[†]

676

677   1. Convert chemical analysis to atomic proportions

678   2. (a) Establish proportion of tetrahedrally-coordinated cations (T-cations)

679   (b) At pressures below those where pressure-induced coordination changes

680   occur, the main three T-cations are Si^{4+}, Al^{3+}, and P^{5+}. Under certain

681   circumstances, Fe^{3+} and Ti^{4+} may also exist in tetrahedral coordination in

682   silicate melts.[†]

683   3. Note that T-cations are assigned a formal charge of 4+. This is accomplished

684   via

685   charge-balance with alkalis or alkaline earths conceptually similar to charge-

686   balance of tetrahedrally-coordinated cations in crystal chemistry.

687   4 The NBO/T is calculated by electrical charge-balance in which T-cations are

688   assigned a formal charge of 4 and oxygen a formal charge of 2-. With X_T and

689   X_O their proportions from the chemical analysis, the NBO/T of a melt is:

690

691    $$NBO = (2 \cdot X_O - 4 \cdot X_T)/X_T$$

692

693   [†] This procedure can only be used provided that melt/glass structural information is

694   available with which to assign cations to tetrahedral coordination.

695

29

696
697   Table 2. Run data
698
699   Low-density (0.67 g/cm^3)$^#$
700   Temp., °C   Press., MPa** Time, min† Phases   Raman   FTIR
701   425* 156   N.A.   Melt+Fluid   x†† o$^{##}$
702   500   231   65   Melt+Fluid   x   o
703   575   285   70   Melt+Fluid   x   o
704   650   405   65   Melt+Fluid   x   x
705   725   561   75   Melt+Fluid   x   x
706   800   754   60   Melt+Fluid   x   o
707
708   High-density (0.81 g/cm^3)$^#$
709   25   0.1   N.A.   Glass+Fluid   x   x
710   425   562   70   Melt+Fluid   x   x
711   500   682   75   Melt+Fluid   x   x
712   575   876   80   Melt+Fluid   x   x
713   650   922   75   Melt+Fluid   x   x
714   725   1079   60   Melt+Fluid   x   x
715   800   1271   65   Melt+Fluid   x   x
716

717    $^#$ Density is calculated assuming PVT properties of the fluid are the same as
718   pure H_2O (from Wagner and Pruss, 2002).
719    $^{##}$ FTIR spectrum recorded, but melt spectra show clear strong influence of
720   absorption from surrounding aqueous fluid (see text and Fig. 2 for additional
721   details)
722   * Raman spectrum of ^{13}C diamond was also recorded at room temperature
723   (25°C)
724   ** Uncertainty, which incorporates both the fitting errors of the pressure
725   calibration of the ^{13}C Raman shift (Mysen and Yamashita, 2010) and frequency
726   error in the Raman shift, is ~ 100 MPa. However, precision which incorporates
727   only the frequency error in the Raman shift is ~ 40 MPa.
728   † Time between attaining the temperature (and pressure) and beginning of
729   recording of spectrum of fluid (which was always recorded before melt).
730   †† Analyses carried out.
731

732 Table 3. Enthalpy values from temperature-dependent partitioning (Figs. 8-11)
733

Partition coefficient	Experiment	ΔH, kJ/mol	Partition coefficient	Experiment	ΔH, kJ/mol
$K_H^{fluid/melt}$	Raman: low-density	-7.6 ± 0.7	$(D/H)^{melt}$	Raman: low-density	0.8 ± 1.3
$K_H^{fluid/melt}$	Raman: high-density	-5.4 ± 1.0	$(D/H)^{melt}$	Raman: high-density	4.0 ± 0.8
$K_H^{fluid/melt}$	FTIR: high-density	-5.1 ± 0.9	$(D/H)^{melt}$	FTIR: high-density	1.8 ± 2.4
$K_H^{fluid/melt}$	Mysen (2013)[†]	-8.1 ± 3.6	$(D/H)^{melt}$	Mysen (2013)[†]	2.8 ± 0.9
$K_D^{fluid/melt}$	Raman: low-density	-11.9 ± 0.5	$K_{H/D}^{fluid/melt}$	Raman: low-density	-4.2 ± 0.6
$K_D^{fluid/melt}$	Raman: high-density	-9.7 ± 1.4	$K_{H/D}^{fluid/melt}$	Raman: high-density	5.4 ± 0.7
$K_D^{fluid/melt}$	FTIR: high-density	-9.3 ± 0.8	$K_{H/D}^{fluid/melt}$	FTIR: high-density	-4.8 ± 0.3
$K_D^{fluid/melt}$	Mysen (2013)[†]	-10.1 ± 2.2	$K_{H/D}^{fluid/melt}$	Mysen (2013)[†]	-6.4 ± 1.4
$(D/H)^{fluid}$	Raman: low-density	-3.2 ± 0.5			
$(D/H)^{fluid}$	Raman: high-density	-1.4 ± 0.8			
$(D/H)^{fluid}$	FTIR: high-density	-3.0 ± 3.7			
$(D/H)^{fluid}$	Mysen (2013)[†]	-2.0 ± 2.6			

752 † Fluid density from Mysen (2013): 0.86 g/cm^3
753

754 **Figure Captions**

755
756 Figure 1 – Microphotograph of sample, from high-density fluid experiment, at 800˚C and
1271 MPa.

757
758 Figure 2 – Schematic representation of infrared beam path through sample in diamond
759 anvil cell with melt globule diameter less than the distance between upper and lower
diamond of the diamond anvil cell.

760
761 Figure 3 – Eaman spectra of H_2O, recorded in-situ in the HDAC at temperatures and
762 pressures indicated on individual spectra. Micron-sized pieces of Pt was loaded
763 together with the H_2O. The sample was contained in an Ir gasket similar to that used in
764 the other experiments. The H_2O density and pressures at different temperatures were
calculated from the PVT data of H_2O (Wagner and Pruss, 2002).

765
766 Figure 4 - Pressure/temperature trajectories of the two series of experiments (low- and
767 high-density fluid) with pressure a function of temperature as seen in equations (1a) and
768 (1b). Also shown (dashed lines) is the pressure/temperature trajectory of the
769 experimental series in Mysen (2013). The sharp peak near 900 cm^{-1} in the spectrum of
770 fluid at 425˚C/156 MPa is from the CCD response to cosmic rays.

771 Figure 5 –Examples of Raman spectra of melts in the low-frequency region at
772 temperature and pressure indicated on individual spectra. The sharp peak near 350 cm^{-1}
773 in the spectrum of fluid at 800˚C/1271 MPa is from the CCD response to cosmic rays.

774 Figure 6 – A. Examples of Raman spectra of silicate-saturated (D_2O+H_2O) low-density
775 fluid at temperature and pressure indicated on individual spectra. B. Same as A except
776 from high-density fluid. The sharp peak near 3350 cm^{-1} in the spectrum of melt at
777 425˚C/156 MPa is from the CCD response to cosmic rays.

778 Figure 7 – Examples of Raman spectra of coexisting water-saturated melt and silicate-
779 saturated fluid from low-density experimemnts at temperatures and pressures indicated
on individual spectra.

780
781 Figure 8 – Examples of FTIR absorption spectra of coexisting water-saturated melt and
782 silicate-saturated fluid from high-density experimemnts at temperatures and pressures
indicated on individual spectra.

783
784 Figure 9 – Fluid/melt partition coefficient for hydrogen, measured as total H_2O,
785 $K_H^{fluid/melt}$, as a function of temperature and pressure (as indicated). The pressure scales
786 were calculated from equations (1a) and (1b) based on the Raman shift of ^{13}C diamond
787 (Fig. 4). Error bars reflect progression of errors from calculating the areas of the
788 integrated Raman intensity assigned to OH-stretching in H_2O in the 3000-3700 cm^{-1}
frequency range.

789
790 Figure 10 – Fluid/melt partition coefficient for deuterium, measured as total D_2O,
791 $K_D^{fluid/melt}$, as a function of temperature and pressure (as indicated). The pressure scales
792 were calculated from equations (1a) and (1b) based on the Raman shift of ^{13}C diamond
793 (Fig. 4). Error bars reflect progression of errors from calculating the areas of the
794 integrated Raman intensity assigned to OD-stretching in D_2O in the 2100-2800 cm^{-1}
frequency range.

795
796 Figure 11 – A. D/H fractionation factors for fluid, (D/H)^{fluid}, based on the OD/OH ratio
797 derived from the Raman and FTIR spectra (as indicated) as a function of temperature.
798 B. D/H fractionation factors for coexisting melt, (D/H)^{melt}, based on the OD/OH ratio
derived from the Raman and FTIR spectra (as indicated) as a function of temperature.

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The pressure scales were calculated from equations (1a) and (1b) based on the Raman shift of ^{13}C diamond (Fig. 4). Error bars reflect progression of errors from calculating the areas of the integrated Raman and FTIR absorption intensity assigned to OD-stretching in D_2O and OH in H_2O in Raman and FTIR spectra.

Figure 12 – Exchange equilibrium coefficient for coexisting fluid and melt, $K_{D/H}^{fluid/melt}$, as a function of temperature and pressure for experimental series indicated. The pressure scales were calculated from equations (1a) and (1b) based on the Raman shift of ^{13}C diamond (Fig. 4). Error bars reflect progression of errors from calculating the areas of the integrated Raman and FTIR absorption intensity assigned to OD-stretching in D_2O and OH in H_2O in Raman and FTIR spectra from melts and fludis.
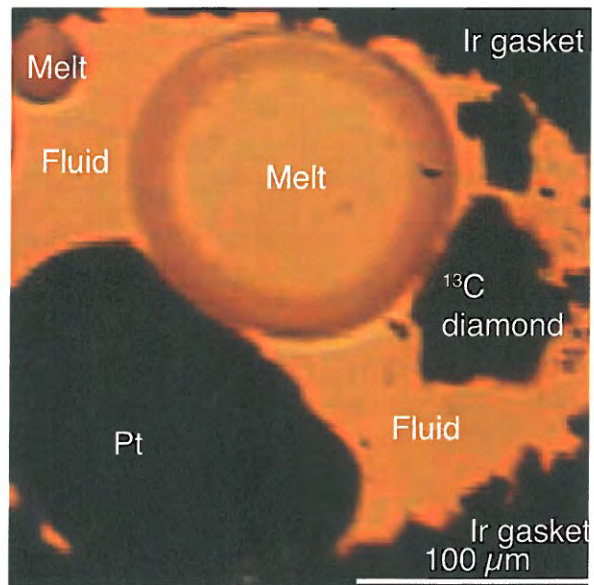
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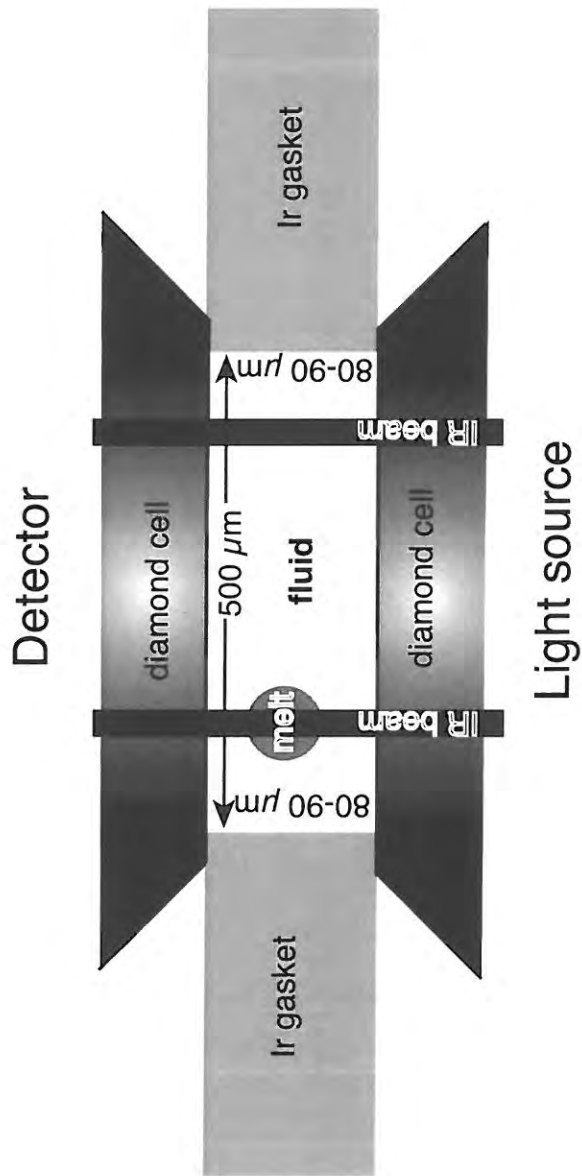
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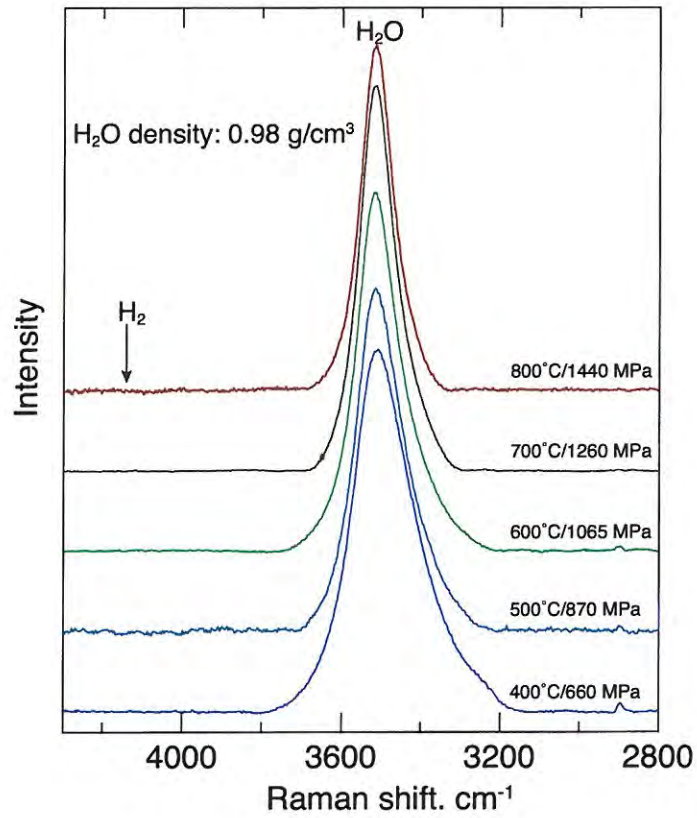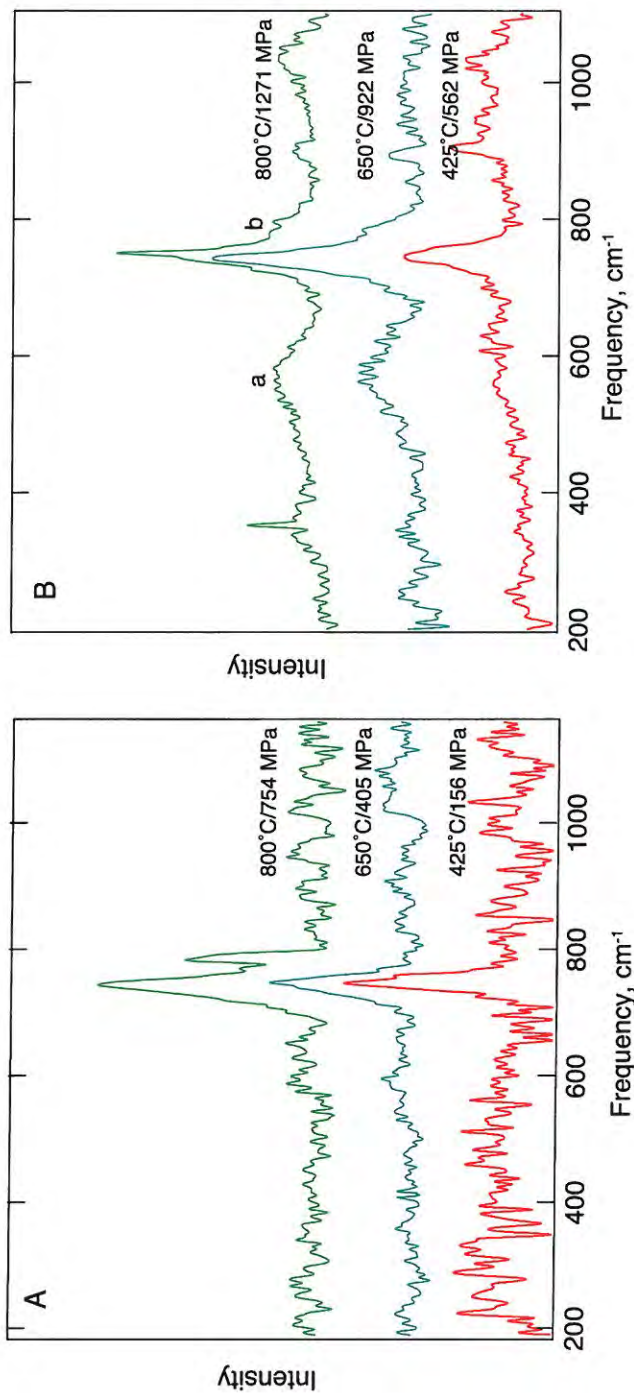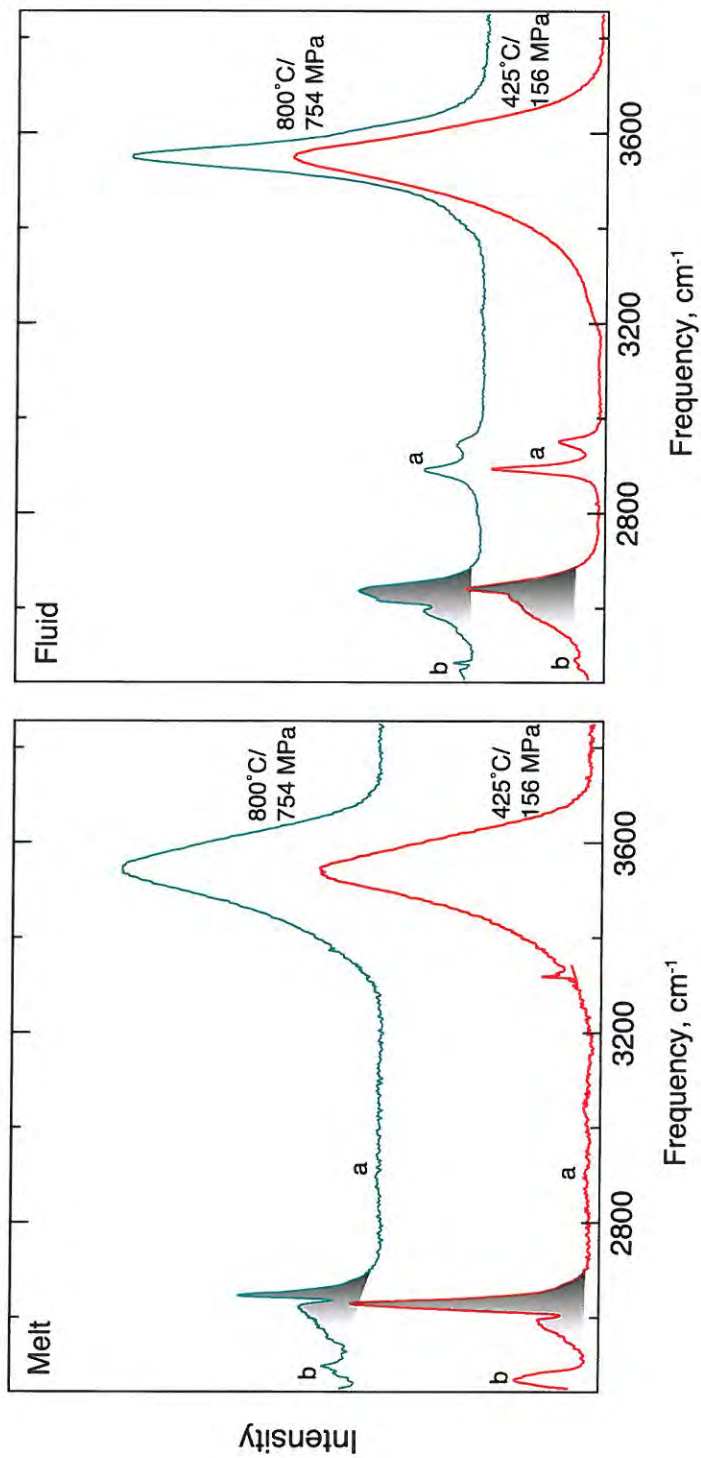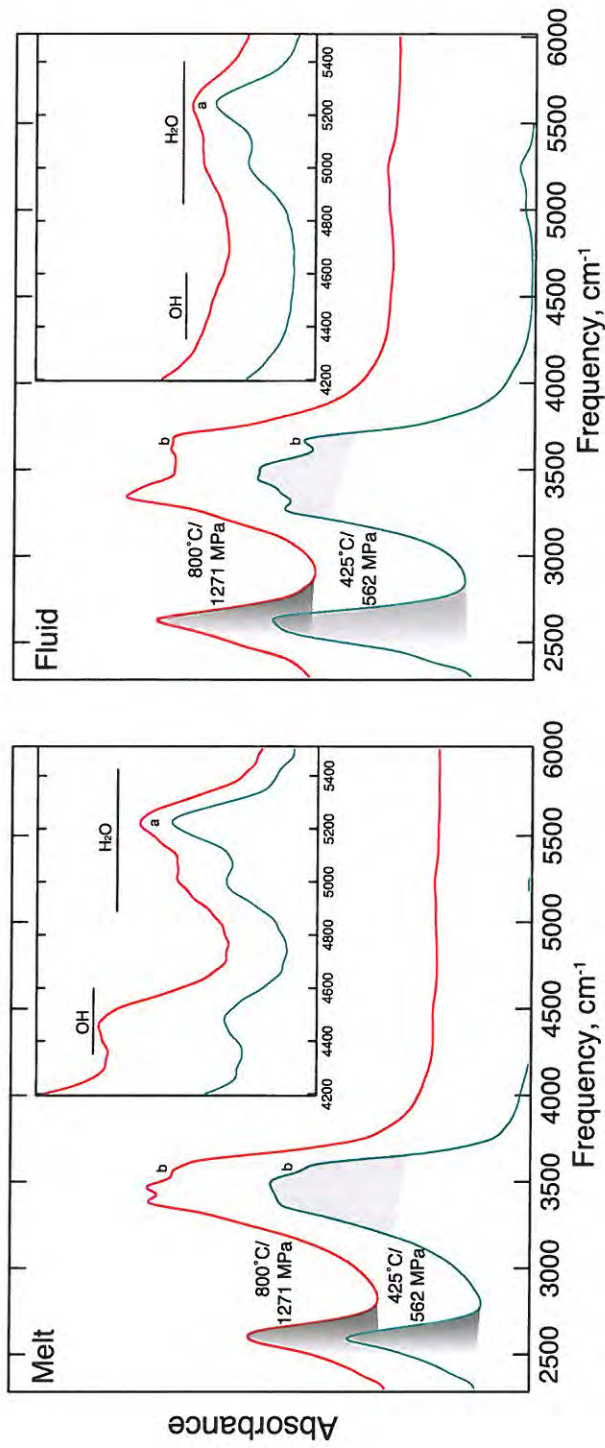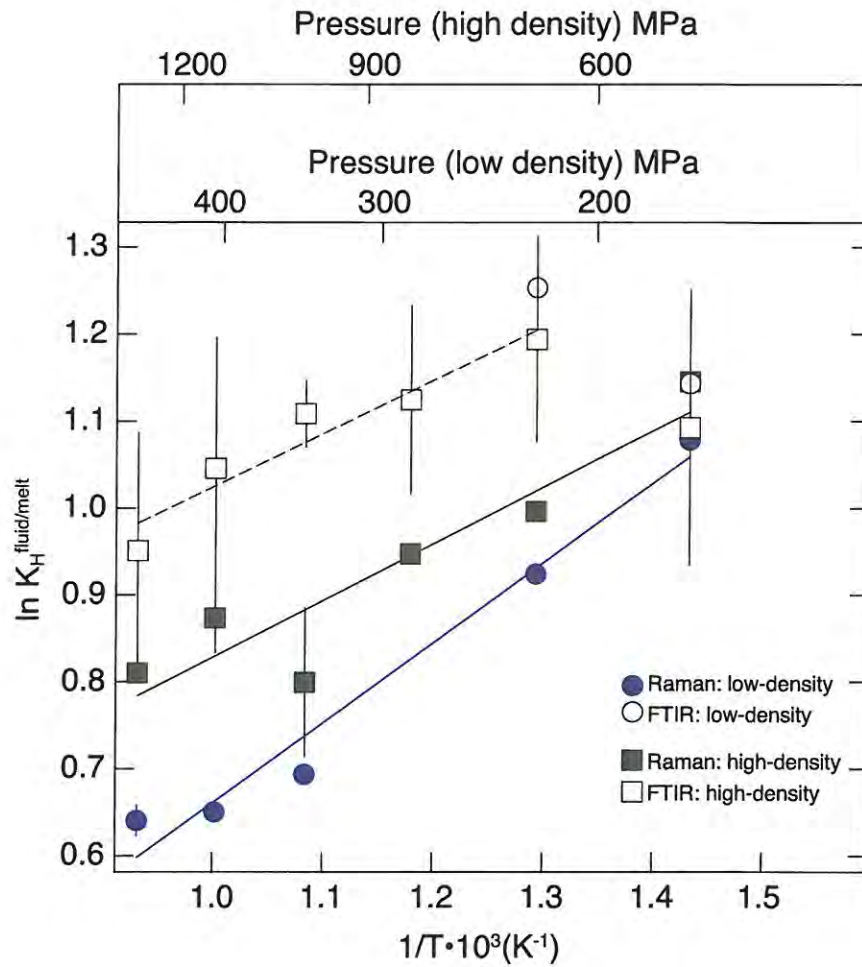
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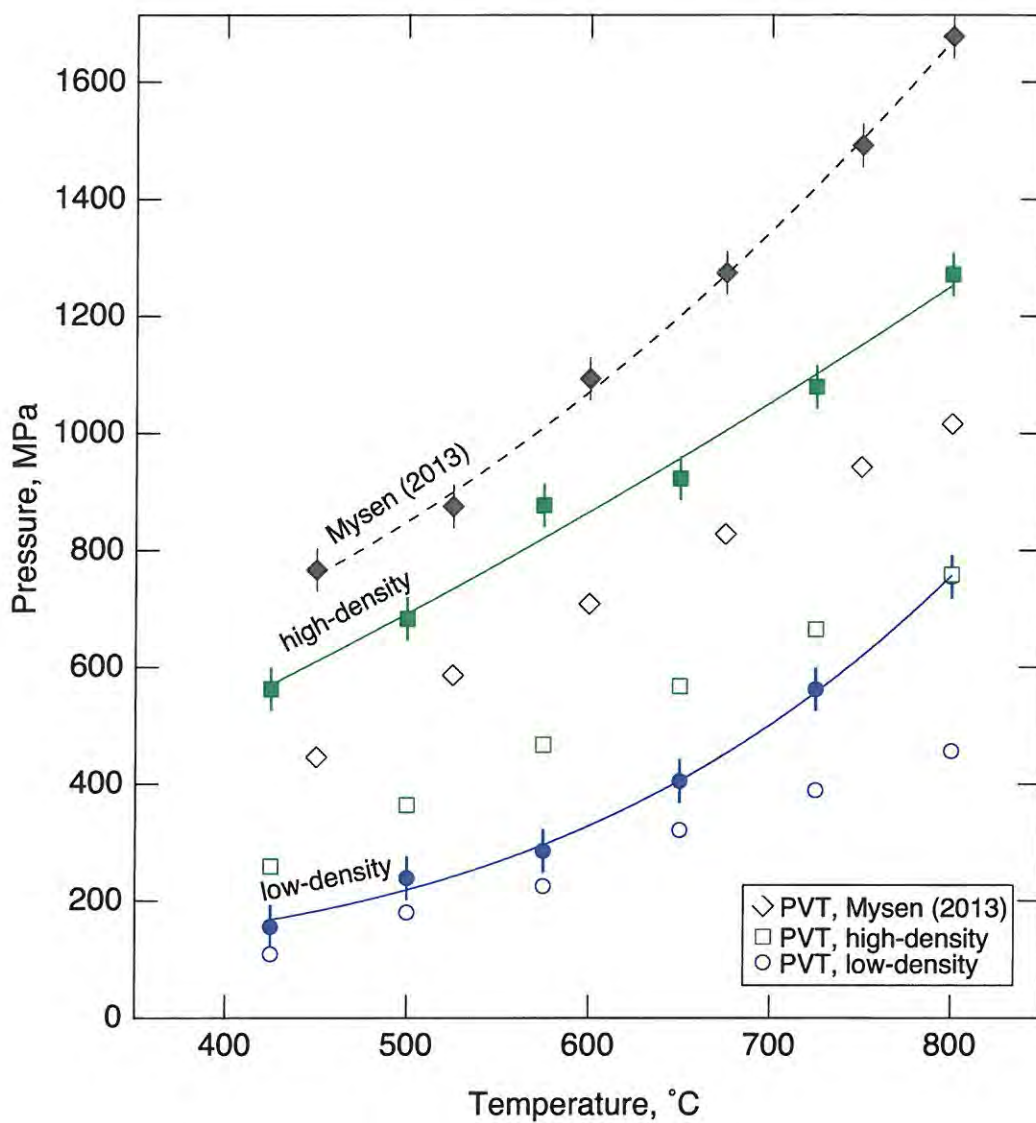
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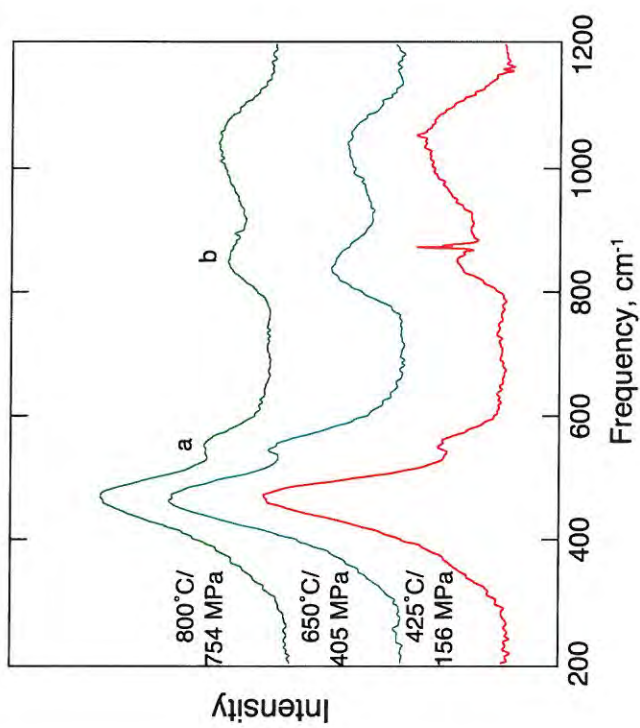
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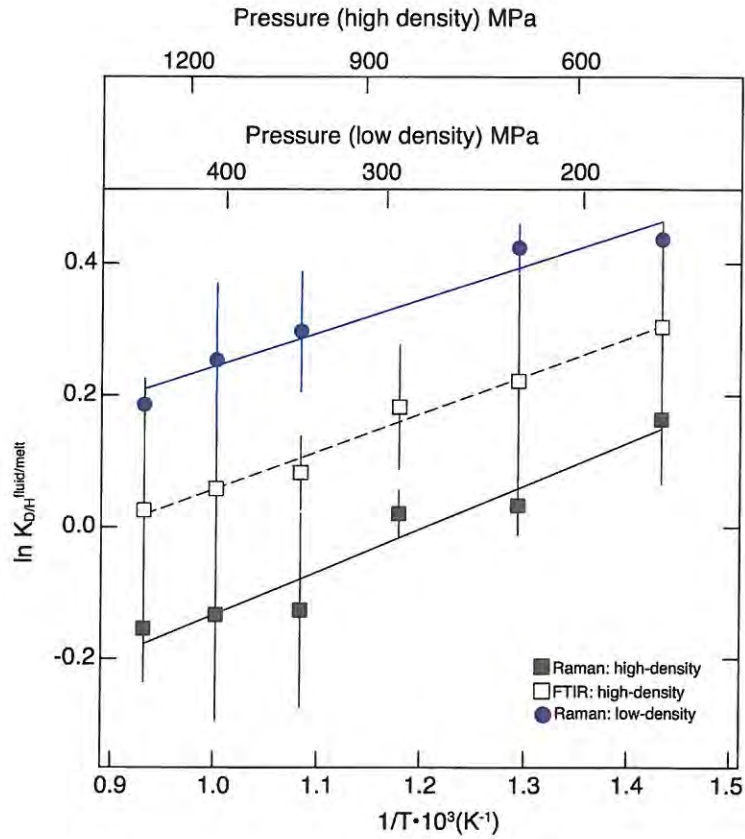Fig. 6 (4449R1)

Fig. 7(4449R1)

Fig. 8 (4449R1)

Fig. 9 (4449R1)

Fig. 12 (4449R1)