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3	Superstructure, crystal chemistry and cation distribution in filipstadite, a
4	Sb <sup>5+</sup> - bearing, spinel-related mineral
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10 11	Abstract
12	The crystal structure of the rare, spinel-related Sb mineral filipstadite from Långban,
13	Filipstad district, Värmland, Sweden, has been solved and refined in the space group $Fd\overline{3}m$
14	$[a = 25.9300(6) \text{ Å}, V = 17434.4(5) \text{ Å}^3, Z = 216]$ and refined to $R = 4.41\%$ for 681 $F_0 > 4\sigma(F_0)$
15	using Mo $K\alpha$ X-ray data. The structure of filipstadite is topologically identical to the spinel-
16	type structure with cations occupying 1/8 of the tetrahedral (T) and 1/2 of the octahedral (M)
17	interstices of a cubic close-packing of oxygen atoms. Due to the cation ordering, which leads
18	to the tripling of the unit-cell edge, the M and T sites of the spinel-type structure split into six
19	and five independent sites, respectively. Chemical composition was determined by electron
20	microprobe. The fractions of major cations obtained from chemical analysis were distributed
21	between T and M sites taking into account the weighted electron number at both T and M
22	sites, and minimizing the discrepancy between the calculated and the observed overall <m-< td=""></m-<>
23	O> distance. Cations present in minor amounts were assigned on the basis of their known site
24	preference. The obtained populations $(2M = Mn^{2+}_{0.56}Mg_{0.76}Fe^{3+}_{0.16}Al_{0.02}Sb^{5+}_{0.50}; T =$
25	$Mn^{2+}{}_{0.60}Mg_{0.07}Fe^{3+}{}_{0.30}Zn_{0.02}Si^{4+}{}_{0.01}) \text{ were then tentatively distributed among the individual } M$
26	and T sites on the basis of crystal chemical considerations.

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*Key words*: filipstadite; spinel; crystal structure determination; superstructure; cation
distribution; Långban (Sweden).

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# INTRODUCTION

Filipstadite, ideally (Mn<sup>2+</sup>,Mg)<sub>2</sub>(Fe<sup>3+</sup><sub>0.5</sub>Sb<sup>5+</sup><sub>0.5</sub>)O<sub>4</sub>, was first described by Dunn et al. 31 32 (1988) as a new spinel-related mineral having orthorhombic symmetry and unit cell parameters a = 36.7, b = 36.7, c = 25.9 Å. Using Weissenberg and precession methods, Dunn 33 34 et al. showed a substructure-superstructure relationship with intense reflections corresponding to those of spinel-type structure ( $a = 3\sqrt{2}a_s$ ,  $b = 3\sqrt{2}a_s$  and  $c = 3a_s$ , where  $a_s$  is the unit-cell 35 36 translation of a spinel-type structure) and supposed the superstructure to be due to cation 37 ordering at the octahedral sites. This reasonable hypothesis, however, remained to be proved 38 by a structure analysis.

39 At the type-locality (Långban, Filipstad district, Värmland, Sweden) filipstadite occurs 40 intimately associated with jacobsite, ingersonite and calcite. In particular, filipstadite was described to replace jacobsite, (Mn<sup>2+</sup>,Fe<sup>2+</sup>,Mg)(Fe<sup>3+</sup>,Mn<sup>3+</sup>)<sub>2</sub>O<sub>4</sub>, and many filipstadite crystals 41 were reported as having residual, irregular cores of jacobsite. Two other occurrences of 42 43 filipstadite were later reported at two other 'Långban-type' Mn-Fe deposits, namely 44 Jakobsberg and Nordmark, in south-central Sweden (Holtstam 1993; Holtstam et al. 1998). At 45 Jakobsberg the mineral coexists with hausmannite, calcite, forsterite, phlogopite and another spinel-related phase exhibiting close similarities with filipstadite (Holtstam 1993) which was 46 47 later approved as a new mineral species with the name tegengrenite (Holtstam and Larsson 48 2000). At Nordmark filipstadite occurs in fine-grained rock samples, including arsenates of 49 svabite-johnbaumite and adelite-tilasite series, forsterite, phlogopite, manganoan calcite, 50 plumbiam stibarsen and plumbian romeite (Holtstam et al. 1998). Interestingly, in the 51 Nordmark samples described by Holtstam et al. (1998), Sb-poor filipstadite and Sb-rich 52 jacobsite occur, possibly indicating solid solution between jacobsite-magnesioferrite spinel

and filipstadite. As pointed out by these authors, however, the crystallographic features of filipstadite involving lower symmetry and superstructure should inhibit complete solid solution and some intermediate composition might reasonably represent disordered metastable phases and/or sub-optical topotactic intergrowths.

57 Much attention has been devoted to the cation distribution in spinel-type oxides in the 58 last decades (Lavina et al. 2002 and references therein), but only few crystal-chemical 59 relationships are known for spinels containing Sb<sup>5+</sup> or other pentavalent cations. According to 60 Tarte and Rulmont (1988), the cation distribution over tetrahedral and octahedral sites in 61 spinels containing high-valence cations is found to be in contradiction with the well known 62 relative site preferences, which are based on their size and/or, in the case of cations subjected 63 to Jahn-Teller distortion, on their crystal field stabilization energies.

To contribute to the scientific debate on the spinel crystal chemistry, we present the crystal structure determination of filipstadite from the type material (sample 163012, Smithsonian Institution, Washington, U.S.A.). Crystal chemical considerations led us to propose a tentative distribution of cations among octahedral and tetrahedral sites.

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### EXPERIMENTAL METHODS

70 X-ray diffraction

EXPERIMENTAL METHOD.

A crystal was selected and preliminarily examined with a Bruker P4 single-crystal diffractometer using graphite-monochromatized Mo $K\alpha$  radiation. The intensity data collection was done with an Oxford Diffraction Xcalibur 3 diffractometer, fitted with a Sapphire 2 CCD detector (see Table 1 for details). Intensity integration and standard Lorentz-polarization corrections were performed with the *CrysAlis* RED (Oxford Diffraction 2006) software package. The program ABSPACK in *CrysAlis* RED (Oxford Diffraction 2006) was used for the absorption correction. A total of 1754 frames of data were collected at room temperature

(20 MoKα < 64.60°) with an exposure time of 45 s per frame and a frame width of 0.90. All the 26652 reflections collected (1459 unique) yielded the cubic supercell: a = 25.9300(6) Å, V = 17434.4(5) Å<sup>3</sup>, Z = 216 ( $a = 3a_s$ , with  $a_s =$  translation unit of a cubic spinel-type cell = 8.643 Å). No evidence of split of the superstructure reflections at high-theta angles was observed, thus suggesting no mixture with significant amounts of jacobsite [a = 8.4956(3) Å, Lucchesi et al. 1997; a = 8.3413(7) Å; Kim et al. 2009].

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# 85 Electron microprobe analysis

86 The crystal used for the structural study was embedded in resin and polished for the 87 chemical analysis that was performed using a CAMECA-CAMEBAX electron microprobe 88 operating with a fine-focused beam (~ 1  $\mu$ m) at an acceleration voltage of 20 kV and a beam 89 current of 20 nA in wavelength-dispersive mode (WDS), with 10 s counting times for peak 90 and 5 s for total background. X-ray counts were converted in oxide weight percentages using 91 the PAP correction program supplied by CAMECA (Pouchou and Pichoir 1985). Standard, 92 WDS line, analyzer crystal, and analytical uncertainty (wt%) for each element were the 93 following: Mg (MgO, MgKa, TAP analyzer, 0.03); Al (Al<sub>2</sub>O<sub>3</sub>, AlKa, TAP analyzer, 0.04); Si 94 (diopside, SiKα, TAP analyzer, 0.03); Mn (MnTiO<sub>3</sub>, MnKα, LIF analyzer, 0.07); Fe (Fe<sub>2</sub>O<sub>3</sub>, 95 FeKa, LIF analyzer, 0.11); Zn (ZnS, ZnKa, LIF analyzer, 0.10); Sb (synthetic Sb<sub>2</sub>S<sub>3</sub>, SbLa, 96 PET analyzer, 0.10). The crystal was found to be homogeneous without any inclusion of 97 jacobsite.

98 Chemical formulae were calculated on the basis of four oxygen atoms and assuming 99 that Mn and Fe are present at the divalent and trivalent state, respectively (Table 2). Sums of 100 cations ranging from 2.996 to 3.010 apfu confirmed the above assumption.

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#### STRUCTURE SOLUTION

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103	The systematic absences in the whole intensity data set were consistent with the space
104	group $Fd\overline{3}m$ . Reflections were merged accordingly ( $R_{int} = 4.40\%$ ). The positions of metal
105	atoms were found using the Patterson interpretation of the SHELXS-97 package (Sheldrick
106	2008); successive $F_0$ -Fourier syntheses allowed us to locate all the O atoms yielding the
107	expected unit-cell content. Full occupancy was assumed for all sites. Site-scattering values
108	were refined for all cations using ionized atomic scattering factors as follows: $Fe^{3+}$ vs. $Mg^{2+}$
109	(T sites), $Sb^{5+}$ vs. $Mg^{2+}$ (M sites). The M1 octahedron resulted to be occupied by $Sb^{5+}$ only
110	and its occupancy was fixed accordingly. Both scattering curves and $\Delta f'$ , $\Delta f''$ coefficients were
111	taken from the International Tables for X-ray Crystallography, volume C (Wilson and Prince
112	1999). Anisotropic refinements by full-matrix least-squares on 110 refined parameters led to a
113	final discrepancy factor of 4.41% for 681 observed reflections $[F_0 > 4\sigma(F_0)]$ and 6.40% for all
114	unique 1459 data.
115	The mean electron numbers at the cation sites together with the atomic coordinates are
116	reported in Table 3. Anisotropic displacement parameters are reported in Table 4. Table 5 <sup>1</sup>
117	lists the observed and calculated structure factors.
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119	RESULTS
120	In keeping with the weakness of the superstructure reflections, the structure of
121	filipstadite is topologically identical to the spinel-type structure with cations occupying 1/8 of
122	the tetrahedral (T) and 1/2 of the octahedral (M) interstices of a cubic close-packing of
123	oxygen atoms. Due to the cation ordering, the M and T sites of the spinel-type structure split
124	into six and five independent sites, respectively. The structure of filipstadite, like that of
125	common spinels, can be described as a sequence of pairs of polyhedral layers (hereafter

<sup>&</sup>lt;sup>1</sup> For a copy of Table 5, document item AMxxxxx, contact the Business Office of the Mineralogical Society of America (see inside front cover of recent issue) for price information. Deposit items may also be available on the American Mineralogist web site at <u>http://www.minsocam.org</u>.

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126 named X and Y) stacked along [111]. As far as the cation sites are concerned, X and Y layers have general formula M<sub>3</sub> and MT<sub>2</sub> respectively. As each layer is projected along [111], 127 successive pairs of X-Y layers appear to be displaced  $\frac{1}{4} \begin{bmatrix} 11 & \overline{2} \end{bmatrix}$  with respect to each other. 128 129 Thus, in the unit cell of spinels three identical XY pairs succeed along [111]. In filipstadite, 130 the ordering of cations determines two types of  $M_3$  layers, X and X' (Fig.1, top), and two 131 types of MT<sub>2</sub> layers, Y and Y' (Fig. 1, bottom). The repeat unit, consisting of six polyhedral 132 layers, namely X-Y-X'-Y'-X'-Y, is thus three times the XY unit of a basic spinel structure. 133 Taking into account the different multiplicity of both octahedral and tetrahedral cations 134 (Table 3), the total electron number ( $e_T + 2e_M = 25.0 + 53.6 = 78.6$ ) is in satisfactory accord 135 with that (77.3) calculated on the basis of the chemical formula derived by microprobe data,  $Mn^{2+}_{1,16}Mg_{0,83}Sb^{5+}_{0,50}Fe^{3+}_{0,48}Zn_{0,02}Al_{0,02}Si^{4+}_{0,0,1}O_4$ . Bond distances and distortion parameters 136 137 are reported in Table 6. All tetrahedra are rather regular and exhibit a small range of variation 138 of the mean electron number (24.5 - 25.2), while the same value for the octahedral sites is 139 very scattered (16.9 - 51.0). The overall average bond distances, weighted taking into account the different multiplicities of the individual sites, are 2.076 Å and 2.029 Å for octahedra and 140 141 tetrahedra, respectively.

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## DISCUSSION

A site assignment in the structure of filipstadite is not straightforward and requires some reasonable simplifications. Minor cations were assigned to one site on the basis of their general site preference: in particular, Si<sup>4+</sup> (Urusov 1983) and Zn (Navrotsky and Kleppa 1967) were assigned to the T site, and Al<sup>3+</sup> (Urusov 1983) to the M site. Since electrons in M sites range from 16.9 up to 51.0, and in keeping with the literature on complex spinel-like antimonates (Tarte and Preudhomme 1979; Preudhomme et al. 1980; Tarte and Rulmont 1988), all Sb<sup>5+</sup> was assigned to the M sites. On the other hand, the other main cations, i.e.

 $Mn^{2+}$ ,  $Fe^{3+}$  and Mg, may occupy both the octahedral and the tetrahedral sites. Due to the fact 151 that the relative preference for tetrahedral sites in spinels increases from  $Fe^{3+}$  and Mg towards 152 Mn<sup>2+</sup> (Hastings and Corliss 1956; Buessem and Butler 1963; Navrotsky and Kleppa 1967; 153 154 Sawatzky et al. 1967; Morrish and Clark 1975; Lucchesi et al. 1997), one could be tempted to fill the T sites mainly with  $Mn^{2+}$  allowing all  $Fe^{3+}$  and Mg to occupy the M sites. The 155 consequent assignment of all  $Fe^{3+}$  in the octahedra, indeed, would be in substantial accord 156 with what observed in natural jacobsite, where  $Fe^{3+}$ , according to the Mössbauer study carried 157 158 out by Maia et al. (1993), is ordered at the octahedral site. To evaluate the reliability of such a hypothesis, <M-O> distance was calculated with the remaining cations (2M = 159  $Mg_{0.83}Mn^{2+}_{0.19}Fe^{3+}_{0.46}Al_{0.02}Sb^{5+}_{0.50}$  on the basis of pure  $\langle M-O \rangle$  reference bond lengths (Table 160 161 7) and assuming a linear contribution of each cation. The value obtained (2.046 Å), markedly shorter than experimental one (2.076 Å), indicates that higher amounts of Mn<sup>2+</sup>, the largest 162 cation in filipstadite, enters the M sites and a mixing of Fe<sup>3+</sup> and Mg enters the T sites. On the 163 other hand, if all  $Fe^{3+}$  is located at the T sites together with Si and Zn and an appropriate 164 mixing of  $Mn^{2+}$  and Mg to maintain the mean electron number close to 25, the  $\langle M-O \rangle$ 165 distance calculated with the remaining cations  $(2M = Mg_{0.80}Mn^{2+}_{0.68}Al_{0.02}Sb^{5+}_{0.50})$  results even 166 167 too long (2.087 Å) with respect to the observed mean value (2.076 Å), thus suggesting a more complex ordering model with Fe<sup>3+</sup> entering both tetrahedral and octahedral cavities. Between 168 169 the two arbitrary models described above, however, the second one leads to a minor discrepancy between the calculated and the observed value, indicating that  $Fe^{3+}$  is mainly 170 located to tetrahedral sites; as a consequence, migration of higher than expected amounts of 171  $Mn^{2+}$  from tetrahedral into octahedral sites occurs, probably to balance the effects of the 172 incorporation of the high-charged cation  $(Sb^{5+})$  at the octahedra. Indeed, according to Tarte 173 174 and Rulmont (1988), in spinel-like compounds containing "high valency cations" abnormal

cation distribution are observed which are unexpected on the basis of the well knownpreferences of cations for T and M sites.

177 In order to pursue a distribution of cations between T and M sites, the cation fractions obtained from chemical analysis were assigned taking into account the weighted electron 178 179 number at both T and M sites, and minimizing the discrepancy between the calculated and the 180 observed overall <M-O> distance. The overall <T-O> distance was not used as a constraint 181 due to the well known differing of tetrahedral bond distances of the same cation as a function 182 of the octahedral population (Lucchesi et al. 1998, 1999). On the contrary, it is known that 183 tetrahedral cations show no or very minor influence on the octahedral M-O distances (Lavina et al. 2002). The following cation populations were obtained:  $2M = 0.56 \text{ Mm}^{2+} + 0.76 \text{ Mg} + 0.76 \text{ Mg}$ 184  $0.16 \text{ Fe}^{3+} + 0.02 \text{ Al} + 0.50 \text{ Sb}^{5+}$  (<n.e<sup>-</sup>> = 53.0; <M-O><sub>calc</sub> = 2.075 Å); T = 0.60 Mn<sup>2+</sup> + 185  $0.30 \text{Fe}^{3+} + 0.07 \text{ Mg} + 0.02 \text{ Zn} + 0.01 \text{ Si} (< n.e^{-} = 24.4; < T-O_{calc} = 1.978 \text{ Å}).$  As expected, 186 187 for the tetrahedral distance the accord between observed and calculated values is not good; the 188 calculated <T-O> distance remains too short (1.985 Å) even if a longer reference bond length for <sup>IV</sup>Mn<sup>2+</sup>-O (2.050 Å) is used as found by Hålenius et al. (2011) in the crystal structure of 189 190 fully ordered galaxite ( $MnAl_2O_4$ ). It must be taken into consideration, however, that the 191 unusual presence of high-charged cations in the octahedra likely involves an overall lengthening of the tetrahedral distances. In this model,  $Fe^{3+}$  is disordered over tetrahedral and 192 octahedral sites in a abundance ratio quite similar to that observed in the orthorhombic 193  $M^{2+}_{4}Fe^{3+}SbO_{8}$  spinel-like compounds ( $M^{2+} = Mg_{3/2}Zn_{1/4}$ , Co, Co<sub>3/4</sub>Ni<sub>1/4</sub>, Ni<sub>3/4</sub>Zn<sub>1/4</sub>) where Fe<sup>3+</sup> was 194 195 proved to enter both T and M sites, in the 2:1 abundance ratio (Tarte and Preudhomme 1979). 196 Assuming as reliable the obtained partition between T and M sites, an attempt to assign 197 cations among the individual sites was done as follows. In Figure 2, the <M-O> distances are 198 plotted against the refined electron number together with data for pure reference bond lengths

199 taken from literature (black circles) and, for a comparison, the sum of ionic radii of six-

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200 coordinated cations and oxygen anions (empty triangles). Points fall along a line between M1 201 (the smallest octahedron occupied by Sb alone) and M4, the largest (2.117 Å) octahedron dominated by Mg (n.e<sup>-</sup> = 16.9). Its position on the plot falls on the Mg-Mn<sup>2+</sup> join, suggesting 202 incorporation of only Mn<sup>2+</sup> replacing for Mg. After the M4 assignment, the remaining 203 octahedral cations (i.e., 0.48 Mg + 0.40  $Mn^{2+}$  + 0.16 Fe<sup>3+</sup> + 0.02 Al) were tentatively 204 205 considered as an unique 'mixed' ME species (empty square in Fig. 2) having  $\langle n.e^{-} \rangle = 19.0$ and  $<ME-O>_{calc} = 2.111$  Å. Since the data relative to M5, M6, M3, and M2 show an alignment 206 207 without significant displacements from the ME-M1 segment, it was made the assumption that the given above 'mixed' ME species replaces Sb<sup>5+</sup> at different degrees without any preference 208 for different octahedral sites. Thus, a mixed population  $[ME_x Sb^{5+}_{1-x}]$  with x = 0.903, 0.781, 209 210 0.744, and 0.424, was assigned to M5, M6, M3 and M2, respectively. To check the reliability 211 of this hypothesis, we compared the observed <M-O> distances to those calculated on the 212 basis of the pure <M-O> reference bond lengths (Table 7). The calculated distances match 213 fairly well the observed values (Fig. 3). The cation populations thus obtained are given in 214 Table 8.

215 Due to the relative homogeneity in the mean electron number at the tetrahedral sites 216 (24.5 - 25.2), it is rather difficult to derive a reliable cation distribution of the remaining 0.60  $Mn^{2+} + 0.30Fe^{3+} + 0.07 Mg + 0.02 Zn + 0.01$  Si among the five tetrahedral sites on the basis 217 218 of the mean distances alone (Fig. 4), being the geometrical features of tetrahedra in spinels 219 strongly depending on the octahedral cation population, especially in this case, where the high-charge Sb<sup>5+</sup> cation heavily affects the bond strengths on the oxygen atoms. In the 220 221 structure of filipstadite, like in the spinel structure, each oxygen atom adopts a tetrahedral 222 configuration linking three M cations and one T. In Figure 5 the individual tetrahedral  $T-O_i$ 223 distances are plotted against the sum of the positive charge in the three M cations linked to each O<sub>i</sub>. Obviously, the site fully occupied by Sb<sup>5+</sup> (M1) overcharges the linked O5 oxygen 224

atoms; as a consequence, T2-O5 is the longest individual T-O<sub>i</sub> in the structure (2.079 Å) 225 226 whereas the O10 oxygen atom, which is bonded to three M4 (occupied by divalent cations 227 alone) and one T3, links T3 with the shortest individual T-O, distance (1.873 Å). The charge distribution at the octahedral sites surely affects the partition of  $Fe^{3+}$  and divalent cations 228 (mainly Mn<sup>2+</sup> and minor amounts of Mg) among the tetrahedra. The smallest and most regular 229 230 T3 tetrahedron, located within the Y layer, is surrounded by twelve M4 octahedra (yellow in Fig. 1: six belonging to the overlying X, three to Y, and three to the underlying X' layer) and 231 should be assumed as occupied dominantly by Fe<sup>3+</sup> and Si. On the other hand, T2 shows the 232 longest <T-O> distance (2.068 Å), even longer than the pure <Mn<sup>2+</sup>-O> reference distance 233 234 (2.036 Å). To this site, which exhibits a mean electron number slightly higher than 25, the available Zn was assigned together with Mn<sup>2+</sup>. To the other tetrahedral sites, namely T5 235 (2.030 Å), T4 (1.992 Å) and T1 (1.989 Å) the remaining Mn<sup>2+</sup>, Mg and Fe<sup>3+</sup> were tentatively 236 237 assigned taking into account both the mean bond distances and the electron number (Table 8). 238 Although the discrepancies between calculated and observed values for tetrahedral bond 239 distances are rather high and the observed values, as expected, are higher than those 240 calculated on the basis of pure reference bond lengths (Fig. 6), the bond strength sums on 241 oxygen atoms calculated using the assigned cation populations are indeed quite satisfactory 242 (Table 9).

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### FIGURE CAPTIONS

FIGURE 1\_ Polyhedral layers in the structure of filipstadite projected along [111]. Octahedra are pictured with different colors as a function of the electron number obtained by occupancy refinement: < 20 = yellow (M4),  $20 \div 30 =$  orange (M3, M5, M6);  $30 \div$ 40 = red (M2); > 40 = dark red (M1). All tetrahedra are in gray. Along [111] the

323	repeat unit consists of six polyhedral layers, namely X-Y-X'-Y'-X'-Y. Successive
324	slab of six layers are displaced $\frac{1}{4}$ [112] with respect to each other.
325	
326	FIGURE 2_The octahedral <m-o> distances plotted against the refined electron number in the</m-o>
327	M sites of filipstadite (black squares); black circles refer to data for reference bond
328	lengths taken from literature (see Table 7) and empty triangles refer to the sum of
329	ionic radii of six-coordinated cations and oxygen anions. The empty square ( $<$ n.e <sup>-</sup> > =
330	19.0 and $\langle ME-O \rangle_{calc} = 2.111$ Å) represents a 'mixed' species ME = 45% Mg + 38%
331	$Mn^{2+} + 15\%$ Fe <sup>3+</sup> + 2% Al. Dashed lines mark the Mg-Mn <sup>2+</sup> and ME-M1 joins.
332	
333	FIGURE 3_ <m-o> distances calculated on the basis of the proposed cation distribution among</m-o>
334	octahedral sites plotted against the observed values. The $<$ M1-O> distance (1.958 Å)
335	was used as pure $\langle Sb^{5+}O \rangle$ . Dashed line refers to y = x line. Data fit the following
336	linear regression $\langle M-O \rangle_{calc} = 1.04(5) \langle M-O \rangle_{obs} + 0.1(1), r^2 = 0.987$ ]. The $\langle M1-O \rangle$
337	distance (empty square) was not included in the linear model.
338	
339	FIGURE 4_ The tetrahedral <t-o> distances plotted against the refined electron number in the</t-o>
340	T sites of filipstadite (black squares); black circles refer to data for reference bond
341	lengths taken from literature (see Table 7) and empty triangles refer to the sum of
342	ionic radii of four-coordinated cations and oxygen anions.
343	
344	FIGURE 5_ Individual T-O <sub>i</sub> distances plotted against the sum of cation charge in the three M
345	sites bonded to each O <sub>i</sub> .

346

FIGURE 6\_ <T-O> distances calculated on the basis of the proposed cation distribution among tetrahedral sites plotted against the observed values. Dashed line refers to y = x line. Data fit the following linear regression <T-O><sub>calc</sub> = 1.0(3)<T-O><sub>obs</sub> - 0.0(6),  $r^2$  = 0.74.



















Crystal data	
Ideal formula	(Mn <sup>2+</sup> ,Mg) <sub>2</sub> (Sb,Fe <sup>3+</sup> )O <sub>4</sub>
Crystal system	Cubic
Space group	$Fd\overline{3}m$ (origin #2)
Unit-cell parameters $a, c$ (Å)	25.9300(6)
Unit-cell volume (Å <sup>3</sup> )	17434.4(7)
Ζ	216
Crystal size (mm)	0.055×0.060×0.065
Data collection	
Diffractometer	Oxford Diffraction Xcalibur 3
Temperature (K)	298(3)
Radiation, wavelength (Å)	Μο <sub><i>K</i>α</sub> , 0.71073
$\theta_{max}$ for data collection (°)	32.30
h, k, l ranges	$-38 \div 37, -37 \div 20, -30 \div 35$
Detector to sample distance (cm)	5
Number of frames	1754
Measuring time/frame (s)	45
Frame width (°)	0.90
Total reflections collected	26652
Unique reflections $(R_{int})$	1459 (4.40%)
Unique reflections $F > 4\sigma(F)$	681
Absorption correction method	ABSPACK (Oxford Diffraction 2006)
Structure refinement	
Refinement method	Full-matrix least-squares on $F^2$
Weighting scheme	$1/\sigma^2(F)$
Data/restraints/parameters	1459/0/110
$R_1 \left[ F > 4\sigma(F) \right]$	4.41%
$R_1$ all	6.42%
Largest diff. peak and hole $(e^{-}/Å^3)$	1.17, -1.45

TABLE 1 - Crystallographic data and refinement parameters for filipstadite

	1	2	3	4	5	mean
$Sb_2O_5$	33.61	33.85	33.77	33.31	33.74	33.66
SiO <sub>2</sub>	0.31	0.28	0.33	0.27	0.28	0.29
$Fe_2O_3$	15.56	15.14	15.27	15.60	15.52	15.42
$Al_2O_3$	0.50	0.55	0.49	0.54	0.57	0.53
ZnO	0.58	0.62	0.62	0.69	0.57	0.62
MnO	34.19	34.51	34.99	34.71	34.81	34.64
MgO	13.86	14.05	14.45	13.77	13.84	13.99
Total	98.50	99.00	99.90	98.88	99.33	99.15
Sb	0.498	0.500	0.493	0.493	0.497	0.496
Si	0.012	0.011	0.013	0.011	0.011	0.012
Fe <sup>3+</sup>	0.467	0.453	0.452	0.467	0.463	0.460
Al	0.023	0.026	0.023	0.025	0.027	0.025
Zn	0.017	0.018	0.018	0.020	0.017	0.018
$Mn^{2+}$	1.155	1.161	1.165	1.170	1.168	1.164
Mg	0.824	0.832	0.847	0.817	0.817	0.827
$\Sigma_{\text{cations}}$	2.996	3.000	3.010	3.004	2.999	3.002

TABLE 2 – Electron microprobe analyses (wt % of oxides) and atomic ratios (on the basis of 4 oxygen atoms) for the selected filipstadite crystal.

Notes: Mn and Fe were assumed as divalent and trivalent, respectively

	Wyckoff	occupancy	x	У	Ζ	$U_{ m eq}$
M1	16 <i>d</i>	$Sb_{1.000}$	1/2	1/2	1/2	0.0191(3)
M2	96g	Sb <sub>0.65(2)</sub> Mg <sub>0.35</sub>	-0.08317(2)	-0.08317(2)	0.16703(2)	0.0209(3)
M3	96g	Sb <sub>0.39(1)</sub> Mg <sub>0.61</sub>	0.00019(2)	0.00019(2)	0.16626(3)	0.0223(4)
M4	96g	Sb <sub>0.125(8)</sub> Mg <sub>0.875</sub>	0.08548(4)	0.08548(4)	0.50417(6)	0.0255(7)
M5	96g	Sb <sub>0.26(1)</sub> Mg <sub>0.74</sub>	0	0.08217(3)	-0.08217(3)	0.0234(5)
M6	32 <i>e</i>	Sb <sub>0.36(1)</sub> Mg <sub>0.64</sub>	0.16674(3)	0.16674(3)	0.16674(3)	0.0217(5)
T1	32 <i>e</i>	Fe <sub>0.94(4)</sub> Mg <sub>0.06</sub>	0.29109(4)	0.29109(4)	0.29109(4)	0.0240(7)
T2	96g	$Fe_{0.94(3)}Mg_{0.06}$	0.04165(3)	0.04165(3)	0.37540(4)	0.0235(5)
Т3	8b	Fe <sub>0.89(5)</sub> Mg <sub>0.11</sub>	3/8	3/8	3/8	0.022(1)
T4	32 <i>e</i>	$Fe_{0.91(4)}Mg_{0.09}$	0.04204(4)	0.04204(4)	0.04204(4)	0.0217(7)
T5	48 <i>f</i>	$Fe_{0.90(3)}Mg_{0.10}$	0.95808(5)	1/8	1/8	0.0185(6)
01	96g		0.0797(2)	0.0797(2)	0.2469(2)	0.023(1)
O2	96g		-0.0805(2)	-0.0805(2)	0.0885(2)	0.025(1)
O3	192 <i>i</i>		0.1633(1)	-0.0051(2)	-0.0797(1)	0.024(1)
O4	96g		-0.0847(1)	-0.0847(1)	0.2457(2)	0.023(1)
05	96g		0.0031(1)	0.0031(1)	0.5754(2)	0.021(1)
O6	32 <i>e</i>		0.0863(2)	0.0863(2)	0.0863(2)	0.027(2)
07	96g		0.0885(2)	0.0885(2)	0.4202(2)	0.022(1)
08	32 <i>e</i>		0.2466(2)	0.2466(2)	0.2466(2)	0.023(2)
09	96g		-0.0023(2)	-0.0023(2)	0.0865(2)	0.027(1)
O10	32 <i>e</i>		0.4167(2)	0.4167(2)	0.4167(2)	0.026(2)

TABLE 3 – Fractional atomic coordinates and equivalent isotropic displacement parameters ( ${\rm \AA}^2$ )

	$U_{11}$	$U_{22}$	$U_{33}$	$U_{23}$	$U_{13}$	$U_{12}$
M1	0.0191(3)	0.0191(3)	0.0191(3)	-0.0004(2)	-0.0004(2)	-0.0004(2)
M2	0.0204(3)	0.0204(3)	0.0219(3)	0.0014(1)	0.0014(1)	-0.0002(2)
M3	0.0223(4)	0.0223(4)	0.0222(5)	-0.0024(2)	-0.0024(2)	-0.0008(3)
M4	0.0278(8)	0.0278(8)	0.0210(9)	-0.0010(4)	-0.0010(4)	-0.0071(6)
M5	0.0235(7)	0.0234(5)	0.0234(5)	-0.0028(4)	0.0021(3)	0.0021(3)
M6	0.0217(5)	0.0217(5)	0.0217(5)	-0.0022(3)	-0.0022(3)	-0.0022(3)
T1	0.0240(7)	0.0240(7)	0.0240(7)	-0.0003(3)	-0.0003(3)	-0.0003(3)
T2	0.0237(6)	0.0237(6)	0.0230(7)	-0.0011(3)	-0.0011(3)	0.0011(3)
Т3	0.022(1)	0.022(1)	0.022(1)	0	0	0
T4	0.0217(7)	0.0217(7)	0.0217(7)	-0.0001(3)	-0.0001(3)	-0.0001(3)
T5	0.0181(7)	0.0186(6)	0.0186(6)	0.0014(4)	0	0
01	0.024(2)	0.024(2)	0.021(2)	0.002(1)	0.002(1)	0.011(2)
02	0.026(2)	0.026(2)	0.023(2)	0.003(1)	0.003(1)	0.004(2)
03	0.024(2)	0.023(2)	0.026(2)	-0.006(1)	-0.005(1)	0.001(1)
04	0.022(2)	0.022(2)	0.024(2)	0.007(1)	0.007(1)	0.005(2)
05	0.023(1)	0.023(1)	0.015(2)	0.001(1)	0.001(1)	0.006(2)
06	0.027(2)	0.027(2)	0.027(2)	0.005(2)	0.005(2)	0.005(2)
07	0.021(1)	0.021(1)	0.024(2)	0.005(1)	0.005(1)	0.002(2)
08	0.023(2)	0.023(2)	0.023(2)	0.003(2)	0.003(2)	0.003(2)
09	0.029(2)	0.029(2)	0.025(2)	-0.009(1)	-0.009(1)	0.005(2)
O10	0.026(2)	0.026(2)	0.026(2)	-0.001(2)	-0.001(2)	-0.001(2)

TABLE 4 – Anisotropic displacement parameters (Å<sup>2</sup>) for atoms in filipstadite

M1- O5(x6)	1 958(5)	$M_{2}$ - $O_{3}(x_{2})$	2.029(4)	M3- $O1(x^2)$	2,066(4)
mean	1.958	$07(x^2)$	2.037(3)	09	2.070(5)
V	9.92	02	2.039(5)	$O_3(x_2)$	2.078(4)
$\sigma^2$	25.11	04	2.041(5)	08	2.087(5)
λ	1.0067	mean	2.035	mean	2.074
		V	11.11	V	11.75
		$\sigma^2$	28.46	$\sigma^2$	29.39
		λ	1.0077	λ	1.0079
M4- O10	2.053(5)	M5- O9(x2)	2.075(4)	M6-O1(x3)	2.083(5)
O4(x2)	2.081(4)	O2(x2)	2.094(4)	O6(x3)	2.089(5)
O5(x2)	2.152(4)	O3(x2)	2.109(4)	mean	2.086
07	2.180(5)	mean	2.093	V	11.98
mean	2.117	V	12.05	$\sigma^2$	2518
V	12.39	$\sigma^2$	34.30	λ	1.0067
$\sigma^2$	48.03	λ	1.0093		
λ	1.0141				
T1 - O4(x3)	1 986(6)	$T_{2}^{2} - O_{3}^{2}(x^{2})$	2 059(5)	T3- $O10(x4)$	1 873(9)
08	1.908(0)	12 03(x2)	2.039(3) 2.074(6)	mean	1.873
00	1.550(5)	05	2.071(0) 2.079(5)	V	3 37
mean	1 989	mean	2.068	,	5.57
V	4 03	V	4 53		
$\sigma^2$	1.39	$\sigma^2$	0.50		
λ	1.0003	λ	1.0001		
T4- O6	1.988(9)	T5- O1(x2)	2.030(6)		
O9(x3)	1.993(6)	O2(x2)	2.030(6)		
mean	1.992	mean	2.030		
V	4.06	V	4.29		
$\sigma^2$	0.01	$\sigma^2$	1.48		
λ	1.0000	λ	1.0004		

TABLE 6 – Selected bond distances (Å) for filipstadite

*Note*: the octahedral angle variance ( $\sigma^2$ ) and the octahedral quadratic elongation ( $\lambda$ ) were calculated according to Robinson et al. (1971).

	* Mn <sup>2+</sup>	* Mg	* Zn	* Fe <sup>3+</sup>	* Al	* Si	# Sb <sup>5+</sup>
T-O	2.036	1.966	1.960	1.875	-	1.627	-
M-O	2.191	2.082	-	2.025	1.908	-	1.958

TABLE 7 – Pure T-O and M-O reference bond lengths (Å) used to obtain calculated bond distances

*Notes*: \*data from the set of optimized distances proposed by Lavina et al. (2002); # the <M1-O> distance (this work) was used as pure Sb<sup>5+</sup>-O.

1.00 Sb<sup>5+</sup> M1  $0.20 \ Mg + 0.16 \ Mn^{2+} + 0.06 \ Fe^{3+} + 0.01 \ Al + 0.57 \ Sb^{5+}$ M2  $0.34 \text{ Mg} + 0.29 \text{ Mn}^{2+} + 0.11 \text{ Fe}^{3+} + 0.01 \text{ Al} + 0.25 \text{ Sb}^{5+}$ M3  $0.63 \text{ Mg} + 0.37 \text{ Mn}^{2+}$ M4  $\begin{array}{l} 0.42 \ Mg + 0.34 \ Mn^{2+} + 0.14 \ Fe^{3+} + 0.01 \ Al + 0.09 \ Sb^{5+} \\ 0.35 \ Mg + 0.30 \ Mn^{2+} + 0.12 \ Fe^{3+} + 0.01 \ Al + 0.22 \ Sb^{5+} \end{array}$ M5 M6  $0.21 \text{ Mg} + 0.79 \text{ Fe}^{3+}$ T1  $\begin{array}{c} 0.21 \text{ Mg}^{+} + 0.04 \text{ Zn} \\ 0.96 \text{ Mn}^{2+} + 0.04 \text{ Zn} \\ 0.87 \text{ Fe}^{3+} + 0.13 \text{ Si} \end{array}$ T2 Т3  $0.23 \text{ Mg} + 0.77 \text{ Fe}^{3+}$ T4  $0.05 \text{ Mg} + 0.77 \text{ Mn}^{2+} + 0.18 \text{ Fe}^{3+}$ T5

TABLE 8 – Assumed cation populations in the different sites of the filipstadite structure

ΣΟ	1.95	1.96	2.00	1.93	2.06	1.88	2.02	1.90	1.86	1.97	
T5	$0.510^{x2\downarrow x1 \rightarrow}$	$0.510^{\text{x2}\text{Jxl}}$									2.04
Τ4						$0.519^{x1\downarrow x1\rightarrow}$			$0.511^{x3\downarrow x1 \rightarrow}$		2.05
T3										$0.708^{x4\downarrow x1 \rightarrow}$	2.83
T2			$0.479^{x2\downarrow x1 \rightarrow}$		$0.455^{x1\downarrow x1\rightarrow}$		$0.460^{x1\downarrow x1\rightarrow}$				1.87
T1				$0.522^{x3\downarrow x1 \rightarrow}$				$0.506^{x1\downarrow x1\rightarrow}$			2.07
M6	$0.461^{x3\downarrow x1\rightarrow}$					$0.454^{x3\downarrow x3\rightarrow}$					2.75
M5		$0.412^{x2\downarrow x2\rightarrow}$	$0.394^{x2\downarrow x1\rightarrow}$						$0.433^{x2\downarrow x2\rightarrow}$		2.48
M4				$0.389^{x^{2}\downarrow x^{2}\rightarrow}$	$0.321^{x^2\downarrow x^2 \rightarrow}$		$0.298^{x1\downarrow x1\rightarrow}$			$0.420^{x1\downarrow x3\rightarrow}$	2.14
M3	$0.491^{x2\downarrow x2\rightarrow}$		$0.475^{x2\downarrow x1\rightarrow}$					$0.464^{x1\downarrow x3\rightarrow}$	$0.486^{x1\downarrow x1\rightarrow}$		2.88
M2		$0.630^{x1\downarrow x1\rightarrow}$	$0.647^{x2\downarrow x1\rightarrow}$	$0.626^{x1\downarrow x1\rightarrow}$			$0.633^{x2\downarrow x2\rightarrow}$				3.82
M1					$0.958^{x6\downarrow x1\rightarrow}$						5.75
	01	02	03	04	05	90	07	08	60	010	

TABLE 9 - Bond-valence (v.u.) arrangement for filipstadite.

Note: calculated from the bond-valence curves of Brese and O'Keeffe (1991)